

Towards Efficient Image Compression Without Autoregressive Models

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OUTLINE

- Authorship
- **Background**
- Method
- Experiments
- Conclusion

BACKGROUND: Image Compression



Memory Used:

$768 \times 512 \times 3 \times 8 = 9437184 \text{ bits} \approx$
1.2MB
(24 bits per pixel)

PNG Format:

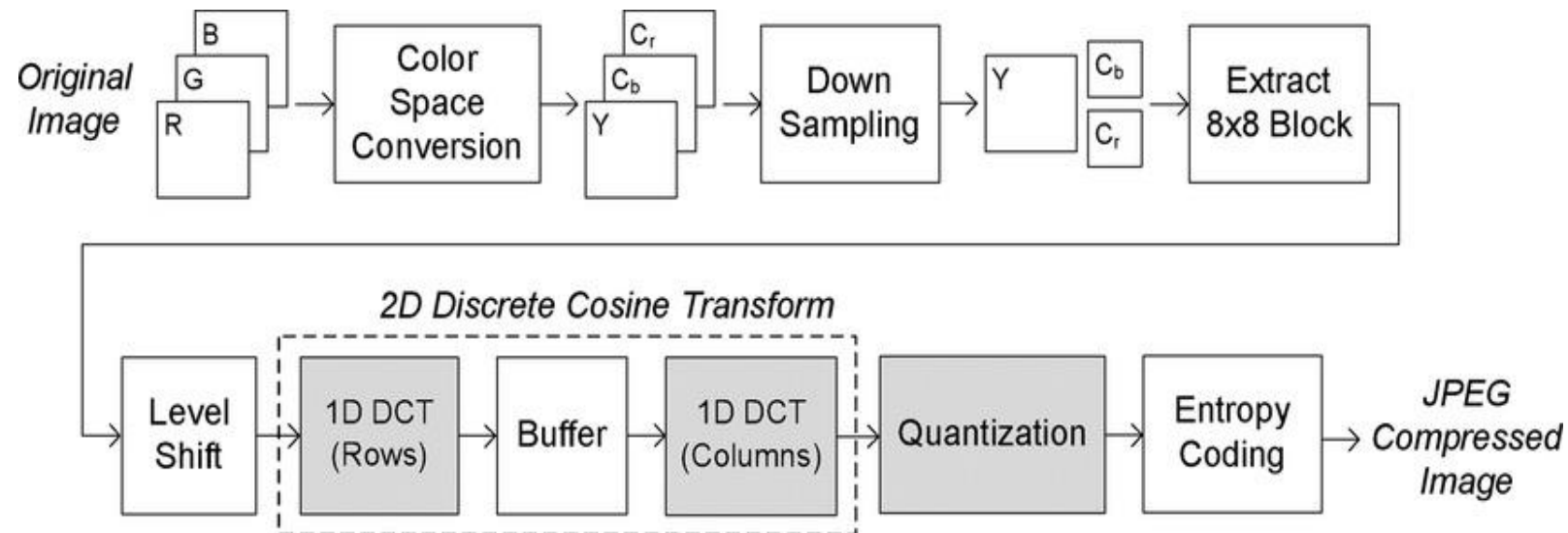
736.5 KB
(15 bits per pixel)

JPEG Format:

34 KB
(0.7 bits per pixel)

BACKGROUND: Conventional Image Compression

- ◆ Transform
- ◆ Quantization
- ◆ Entropy coding

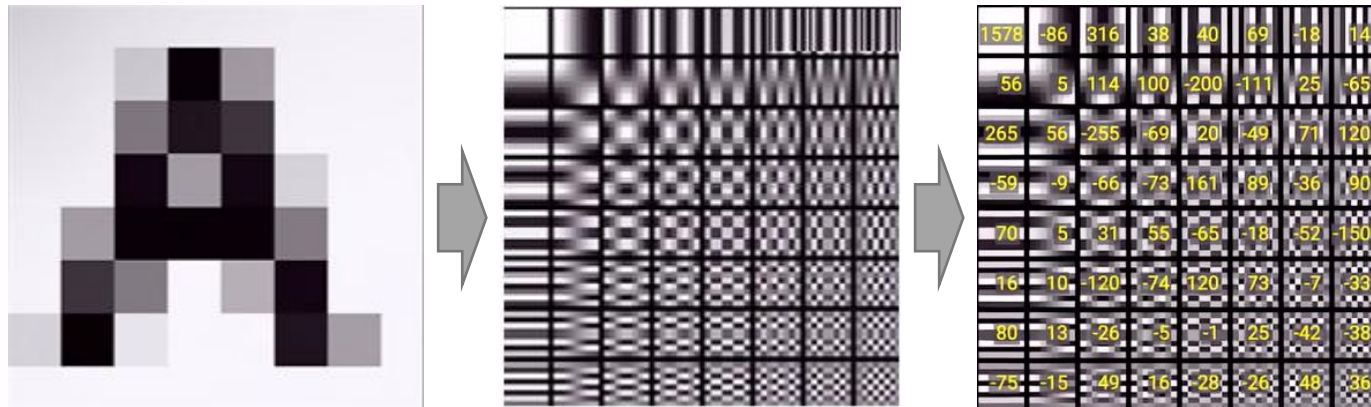


BACKGROUND: Conventional Image Compression

Transform

Transform to a better space
(in JPEG, remove information that eyes are not great at perceiving)

- Color Space Conversion
- Discrete Cosine Transform



$$F(u, v) = \frac{1}{4} C(u)C(v) \left[\sum_{x=0}^7 \sum_{y=0}^7 f(x, y) * \right. \\ \left. \cos \frac{(2x+1)u\pi}{16} \cos \frac{(2x+1)v\pi}{16} \right]$$
$$f(x, y) = \frac{1}{4} \left[\sum_{u=0}^7 \sum_{v=0}^7 C(u)C(v)F(u, v) \right. \\ \left. \cos \frac{(2x+1)u\pi}{16} \cos \frac{(2x+1)v\pi}{16} \right]$$

where: $C(u), C(v) = 1/\sqrt{2}$ for $u, v = 0$;

$C(u), C(v) = 1$ otherwise.

BACKGROUND: Conventional Image Compression

Quantization

$$F^Q(u, v) = \text{Integer Round} \left(\frac{F(u, v)}{Q(u, v)} \right)$$

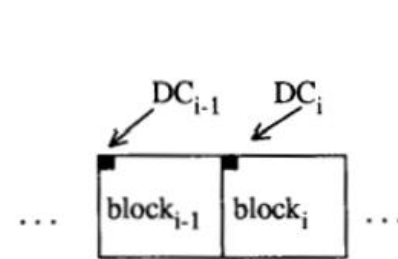


$$F^{Q'}(u, v) = F^Q(u, v) * Q(u, v)$$

BACKGROUND: Conventional Image Compression

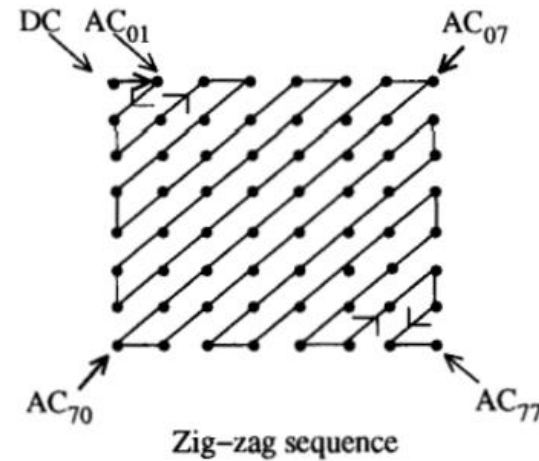
Entropy coding

- ◆ Huffman Coding
- ◆ Arithmetic coding



$$DIFF = DC_i - DC_{i-1}$$

Differential DC encoding

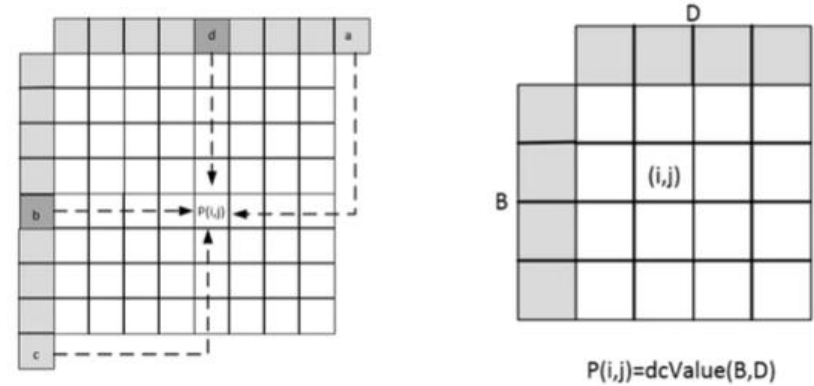


BACKGROUND: Conventional Image Compression

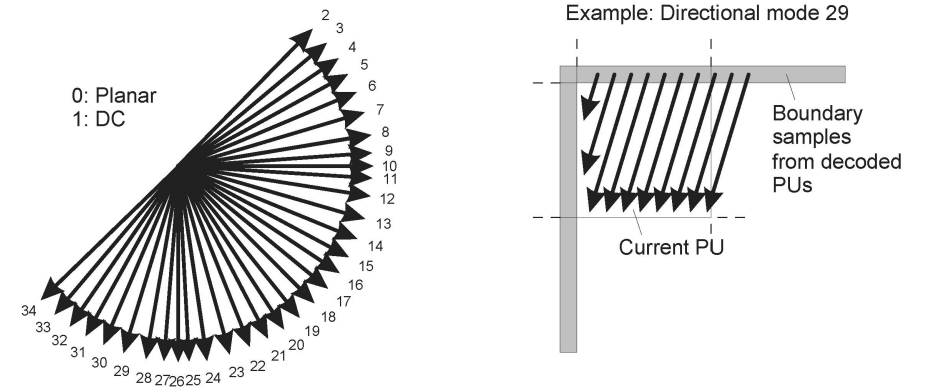
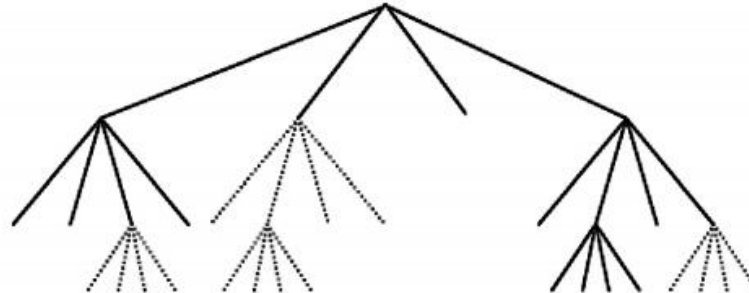
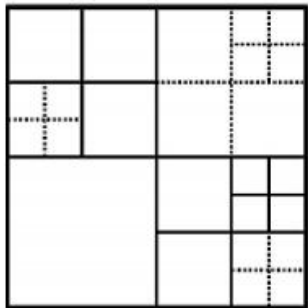
Other tricks

- ◆ Residual Prediction
- ◆ Coding Tree Units
- ◆ Coarse to Fine Prediction

.....



Reduce coded content through various predictive strategies



BACKGROUND: E2E Image Compression

◆ Transform

Transfer to a latent space

◆ Quantization

--> add noise

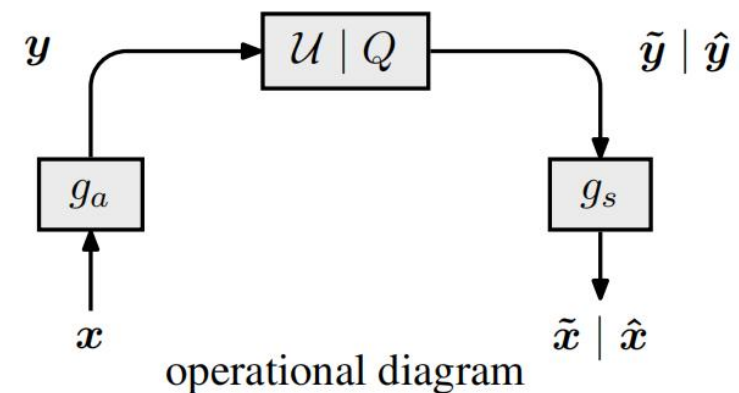
◆ Entropy coding

The lower the entropy of the latent variable y , the lower the bitrate

$$R = E_{\hat{y} \sim m}[-\log_2 p_{\hat{y}}(\hat{y})]$$

◆ Training Strategy

Trade of between distortion and rate: $L = \lambda \cdot D + R$

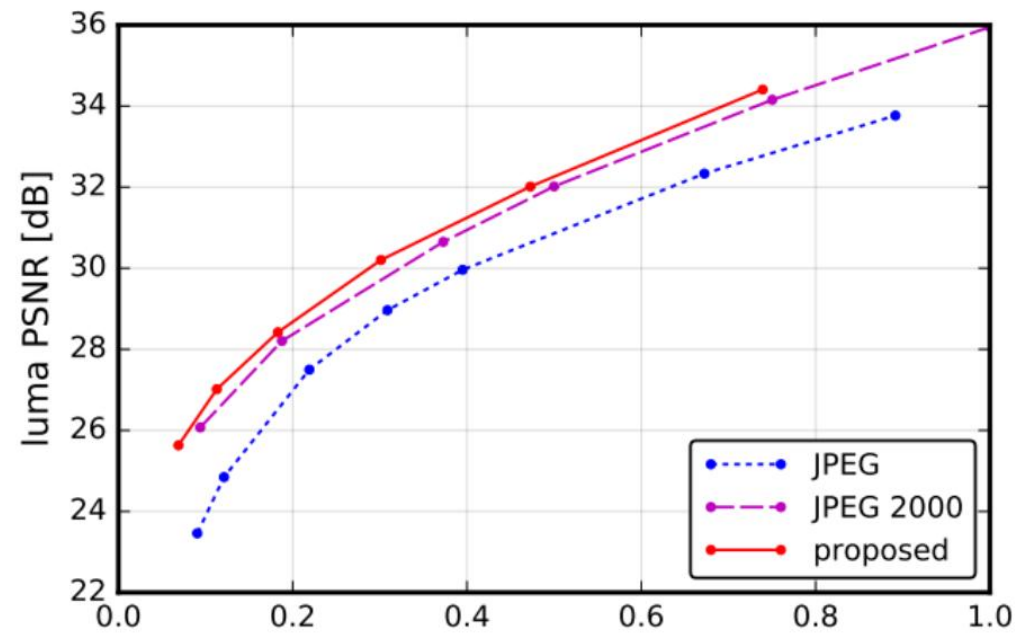
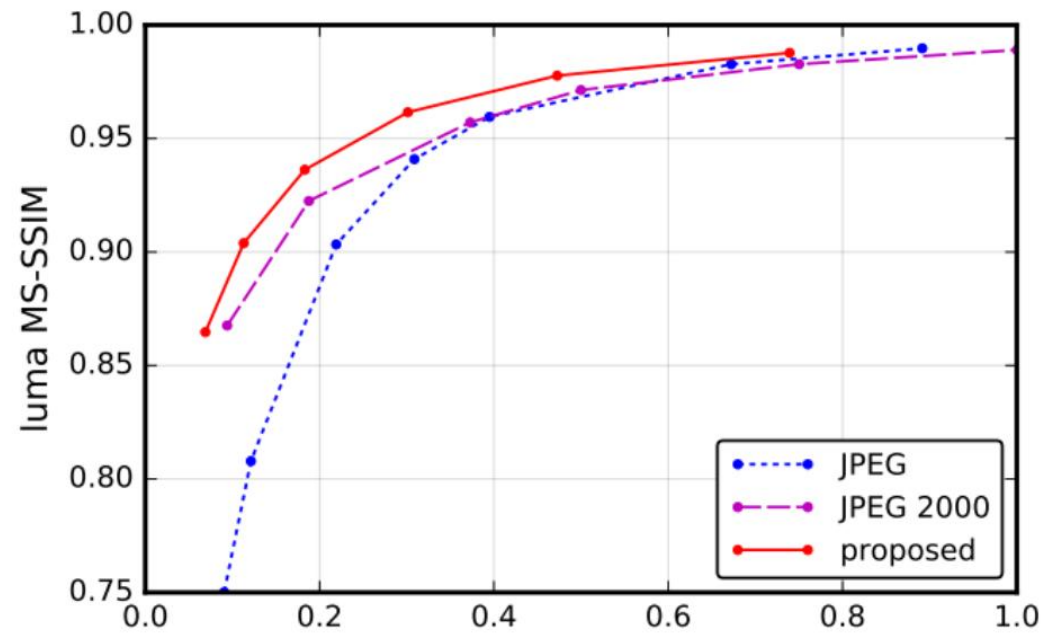


BACKGROUND: E2E Image Compression

◆ Metrics

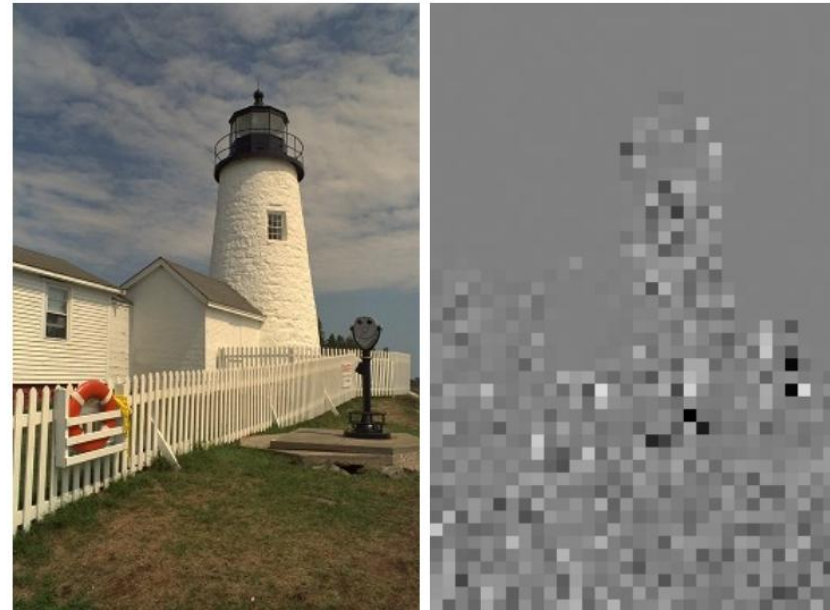
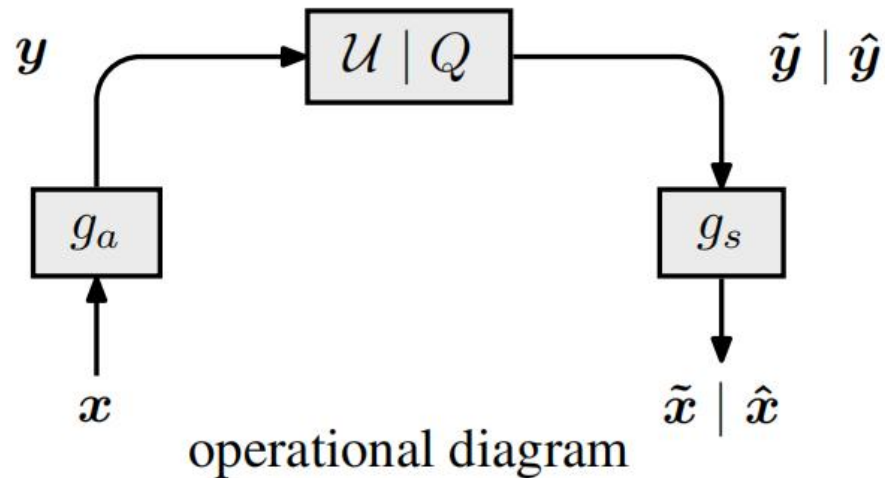
RD-Curve

BD-rate



BACKGROUND: E2E Image Compression

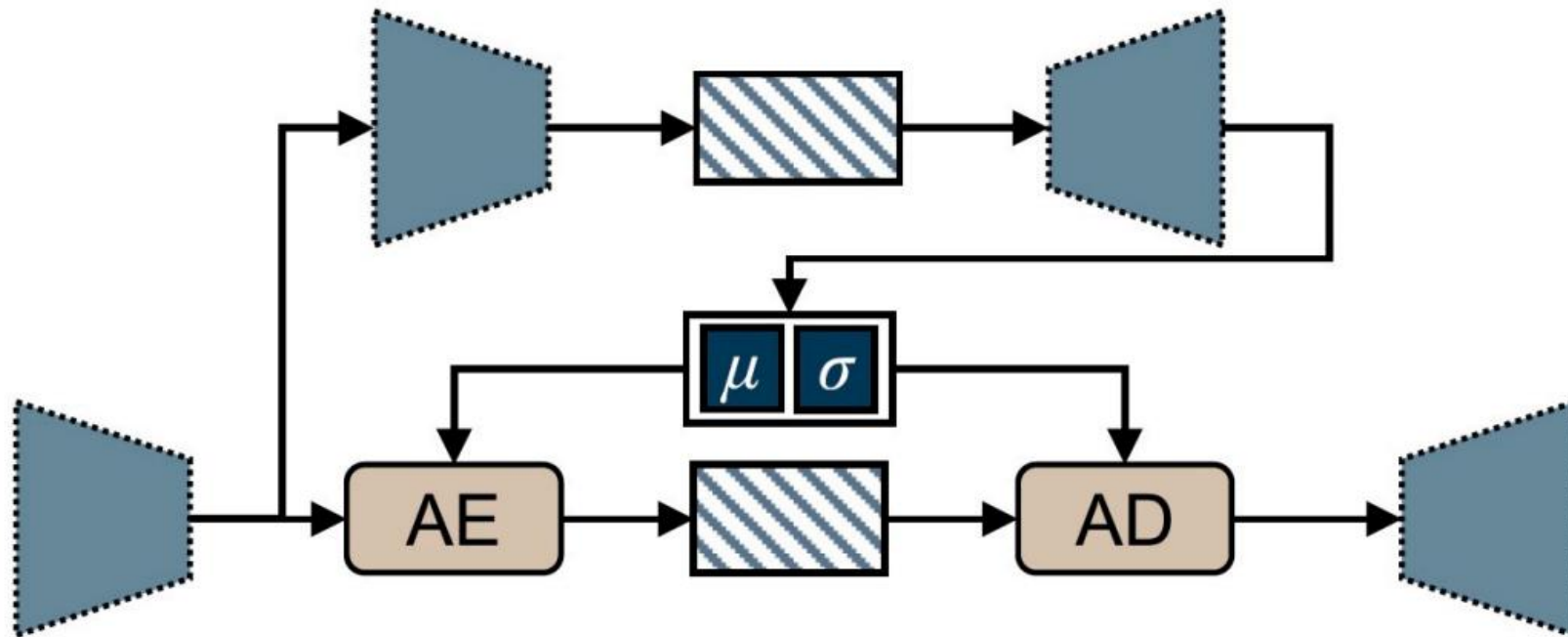
- ◆ Visualize a subset of the y
 - Ideal state: No spatial coupling
 - Actually: Non-zero responses are highly clustered in areas of high contrast



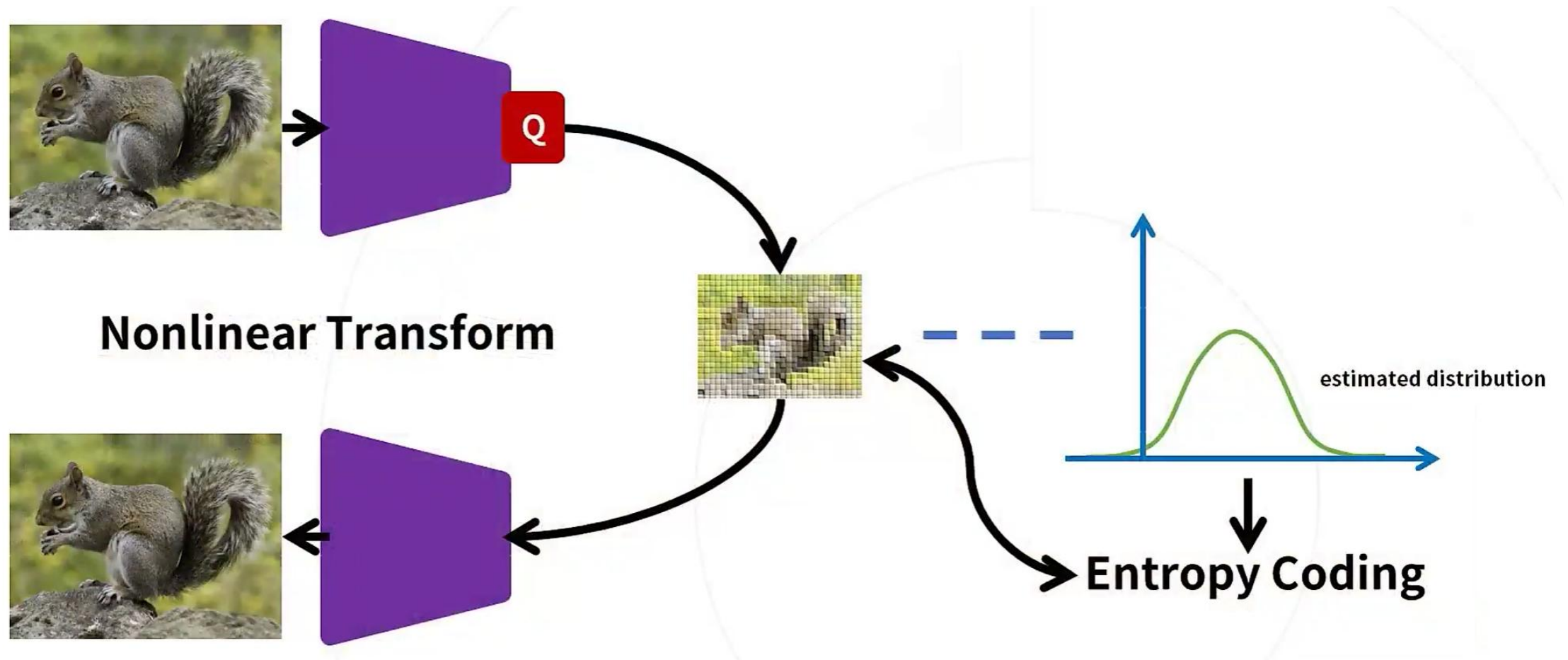
BACKGROUND: E2E Image Compression

Introducing a hyperprior

- When the entropy distribution is consistent with the real distribution, the stream is minimum
- Simplified the distribution of each pixel to a Gaussian distribution
- Predict μ and σ for each pixel use hyperprior

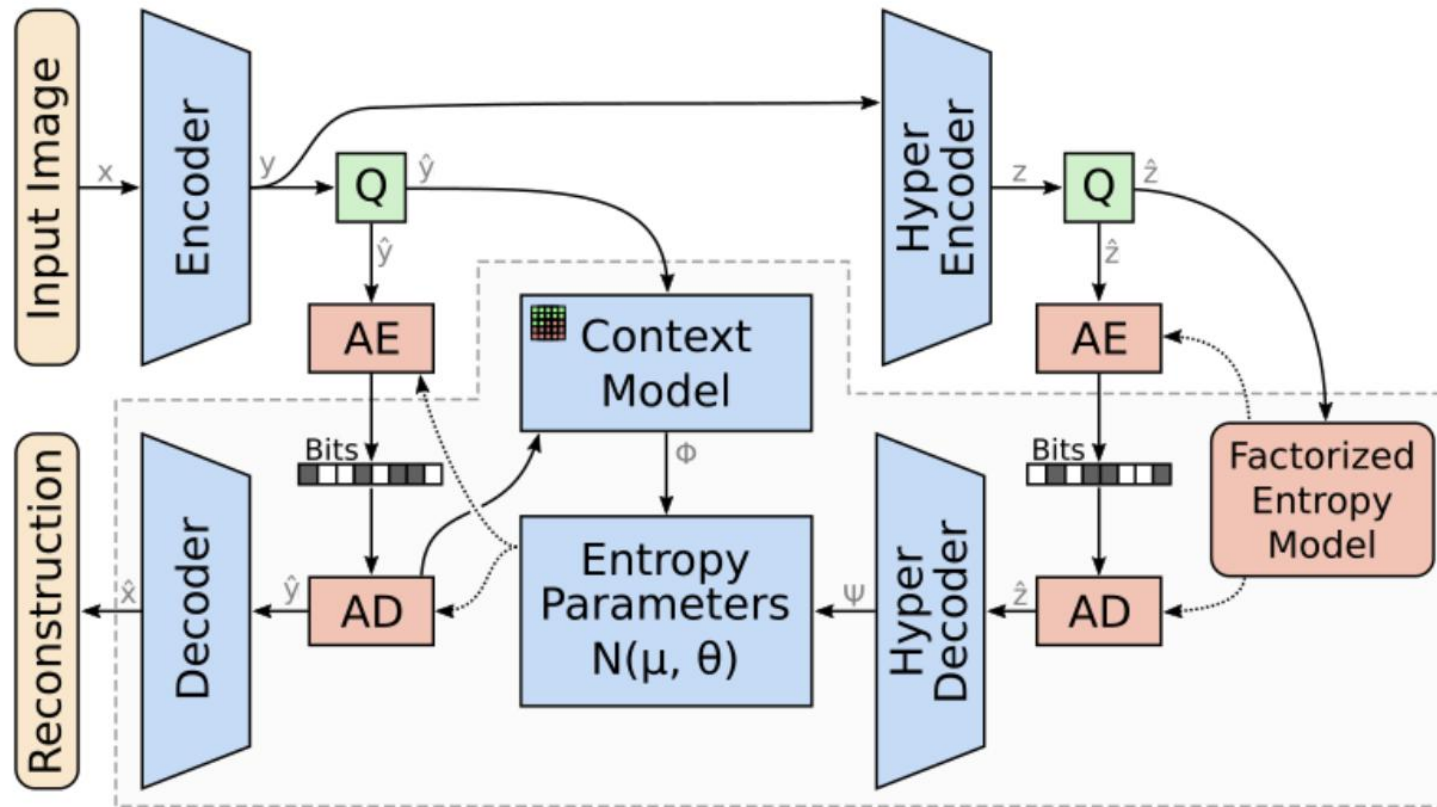


BACKGROUND: E2E Image Compression



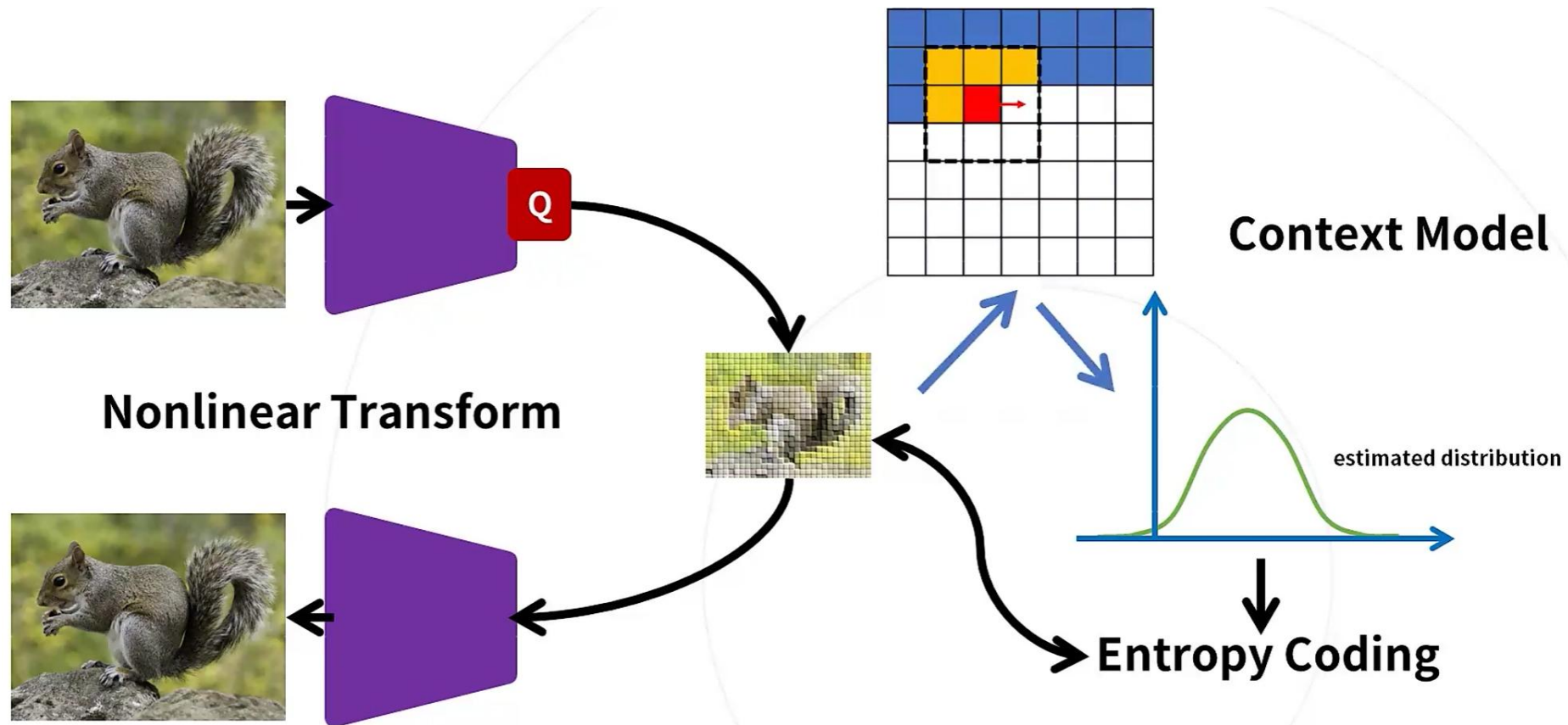
BACKGROUND: E2E Image Compression

Introducing autoregressive



BACKGROUND: E2E Image Compression

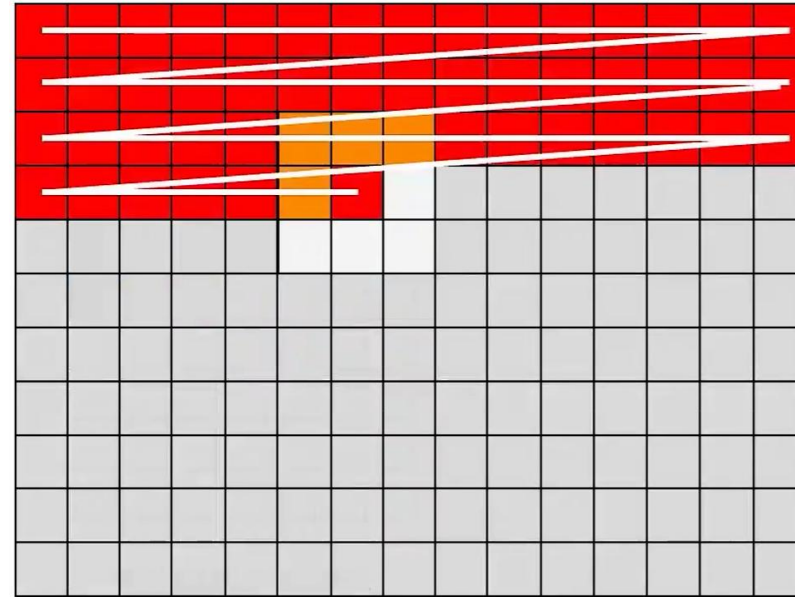
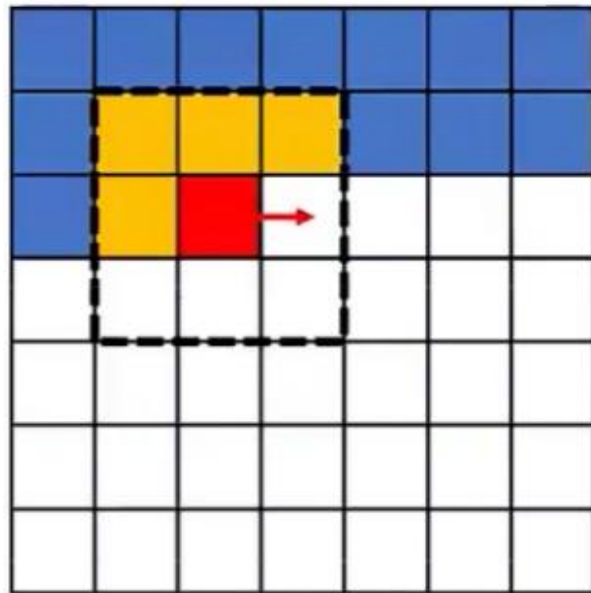
Introducing autoregressive



BACKGROUND: E2E Image Compression

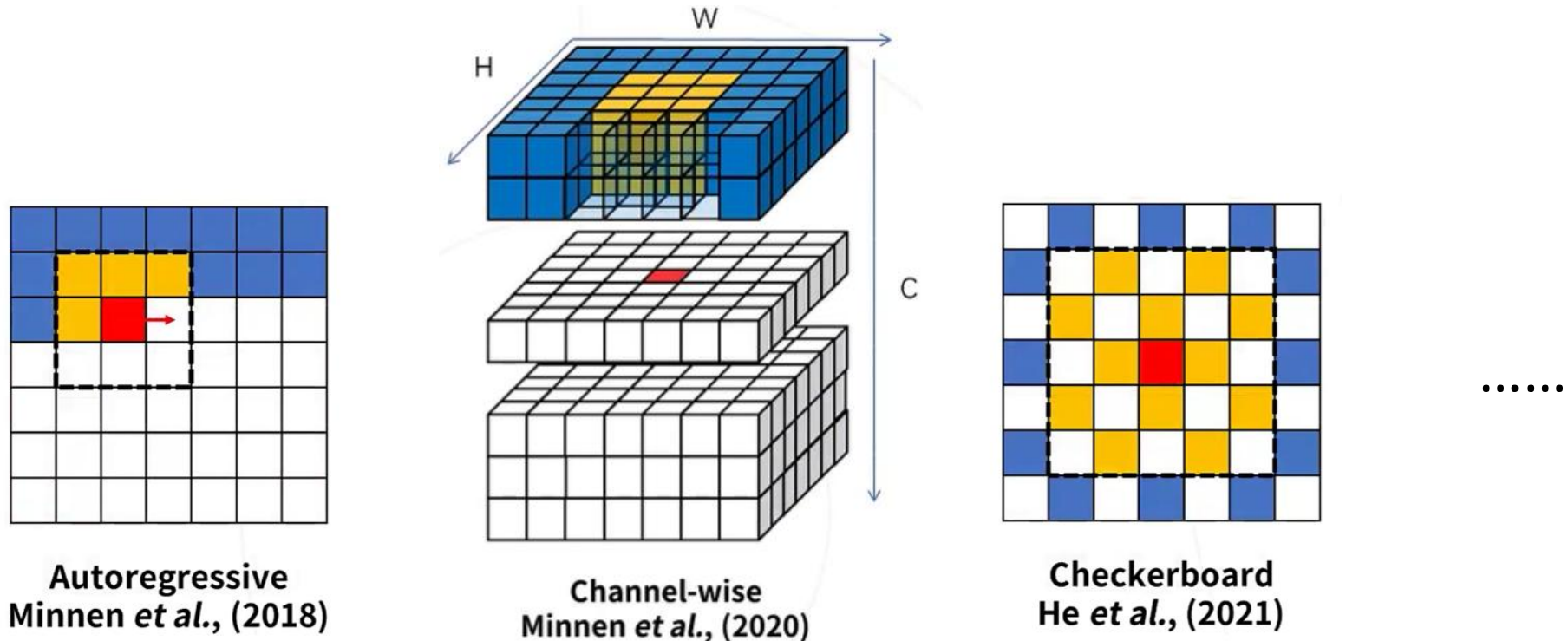
Introducing autoregressive

- ◆ More spatial context information
- ◆ No additional bitstream
- ◆ Serial coding, high time complexity $O(HW)$



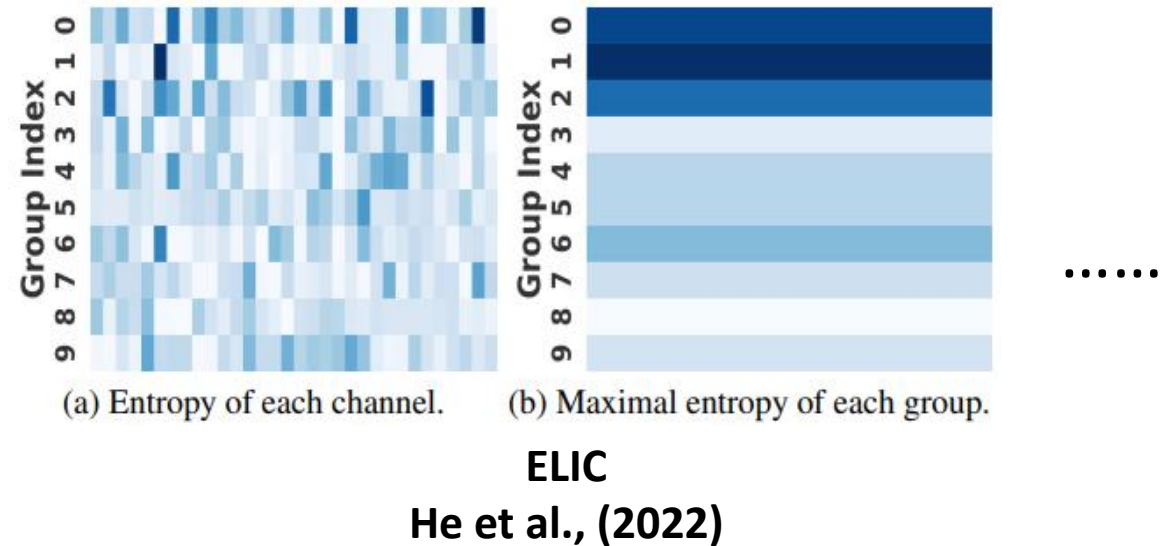
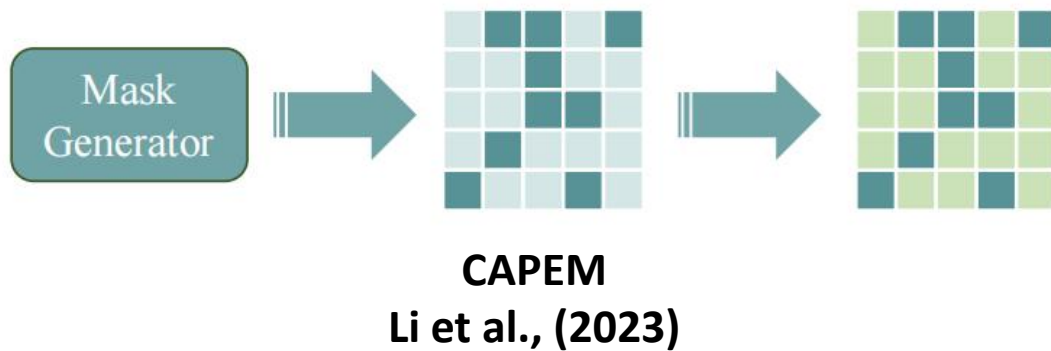
BACKGROUND: E2E Image Compression

Autoregressive acceleration



BACKGROUND: E2E Image Compression

Autoregressive acceleration



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METHOD: Motivation

- ◆ Why do we use autoregressive models?

Spatial location independence of elements

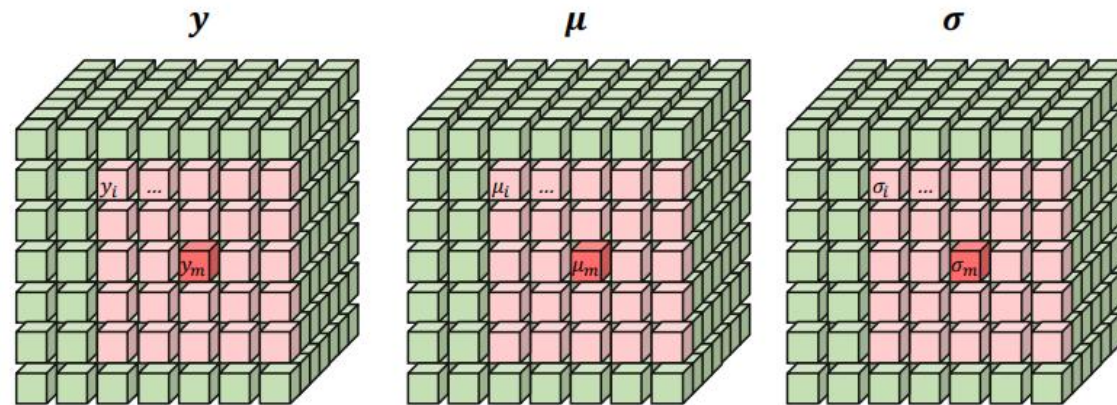
- ◆ Basic idea

Use correlation loss to reduce the spatial correlation

METHOD: Correlation Loss

- ◆ Calculate the correlation of each point

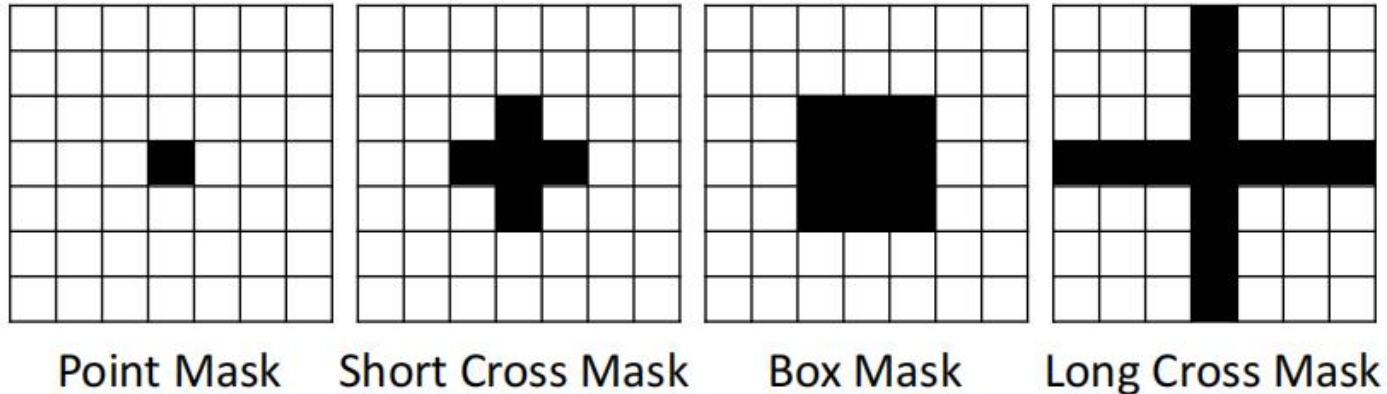
$$\text{Corr_Map}_{k \times k}[i] = \mathbb{E}_{x \sim p(x)} \left[\left(\frac{y_i - \mu_i}{\sigma_i} \right) \left(\frac{y_m - \mu_m}{\sigma_m} \right) \right], 0 \leq i < k^2$$



METHOD: Correlation Loss

- ◆ Apply masks to limit autocorrelation

$$Masked_Map_{k \times k}[i] = Corr_Map_{k \times k}[i] \odot Mask$$



- ◆ Calculate L2Loss as correlation loss

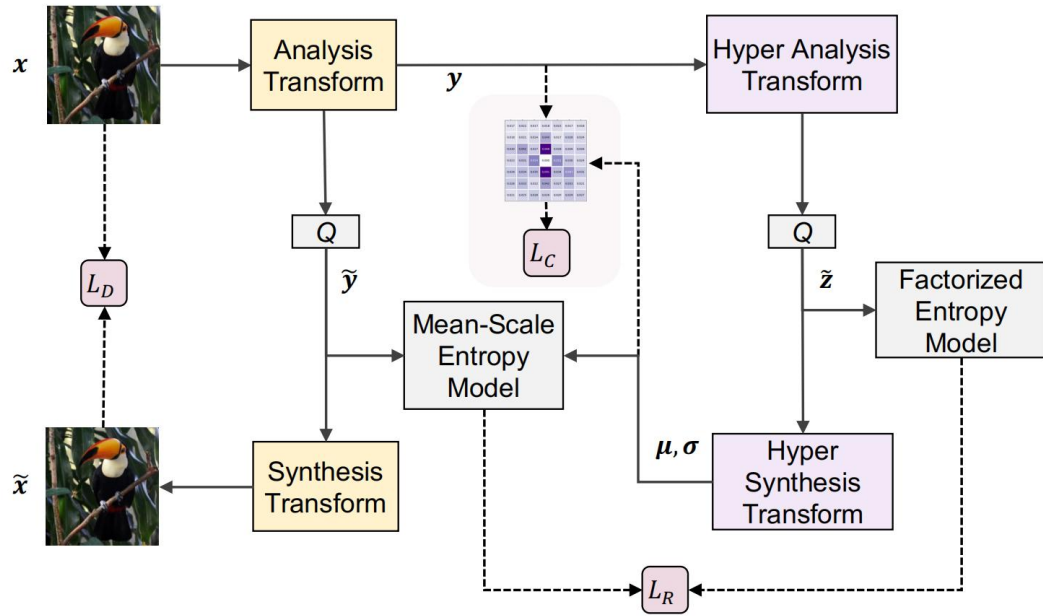
$$L_{corr} = ||Masked_Map_{k \times k}[i]||^2$$

METHOD: Correlation Loss

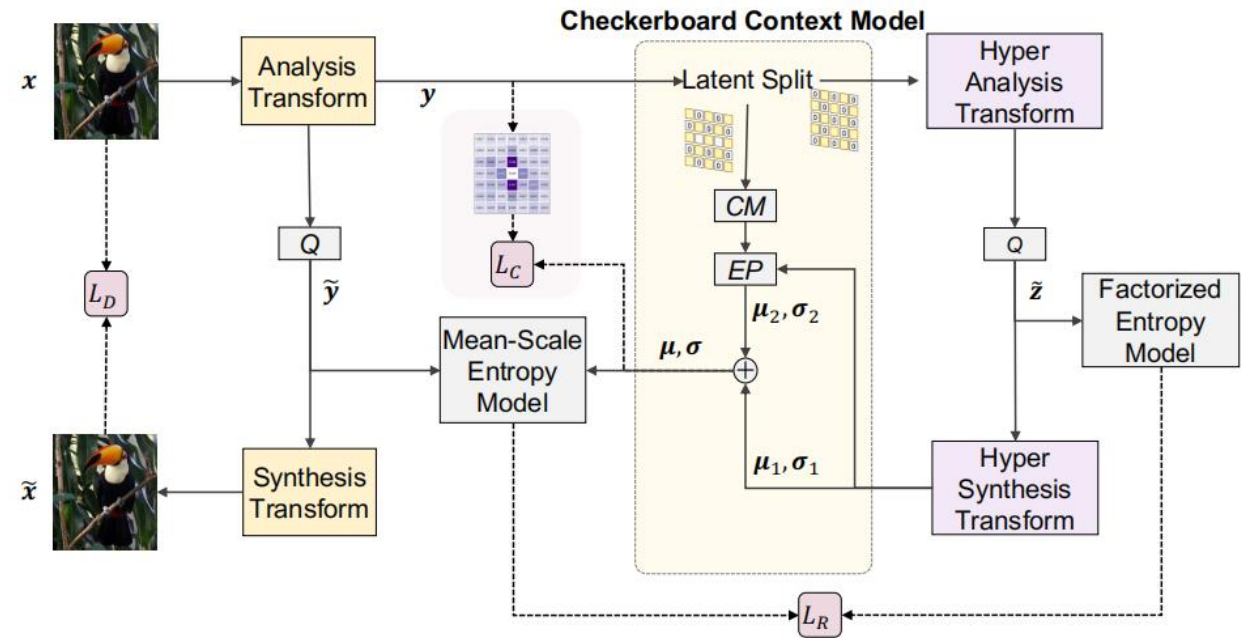
◆ Loss Function

$$RD_{loss} = E_{x \sim p(x)} \left[-\log_2 p_{\hat{y}|\hat{z}}(\hat{y} | \hat{z}) - \log_2 p_{\hat{z}}(\hat{z}) \right] + \lambda \cdot E_{x \sim p(x)} [d(x, \hat{x})] + \alpha \cdot [L_{corr}]$$

METHOD: Structure



Combine Hyperprior



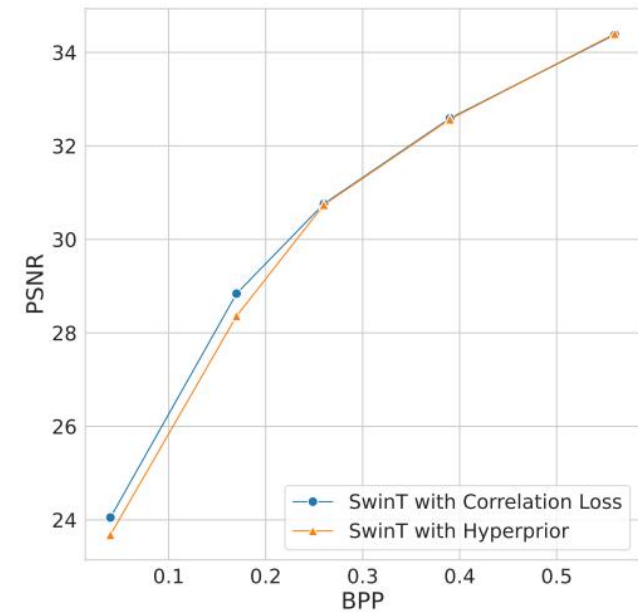
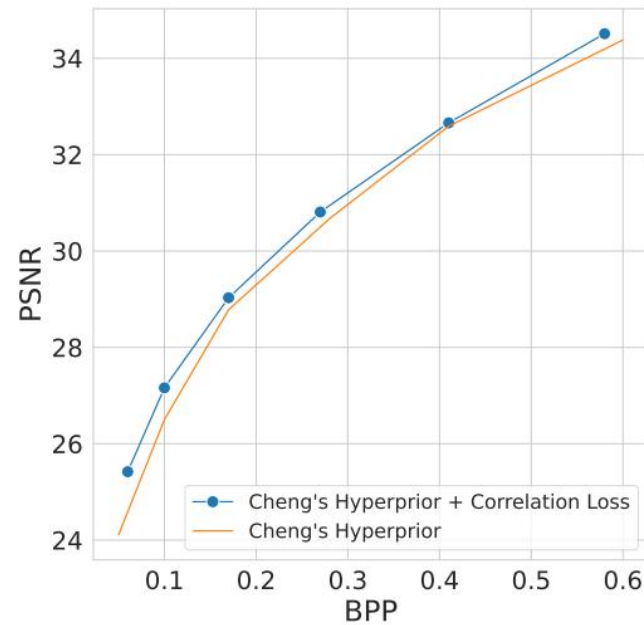
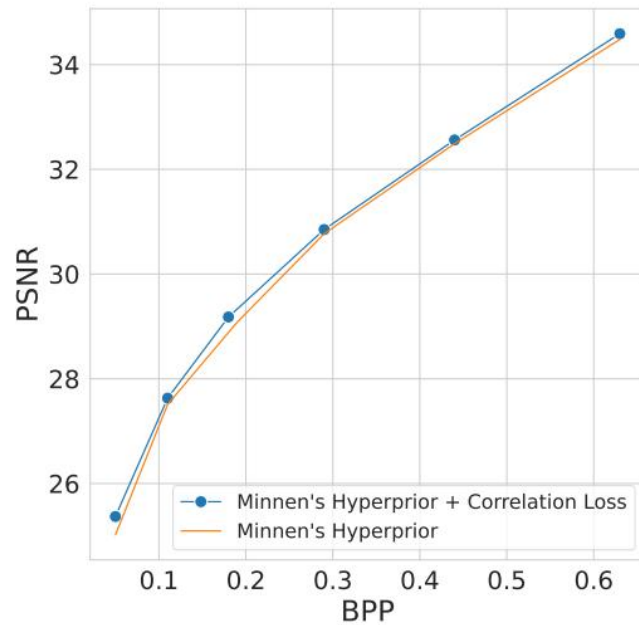
Combine Checkerboard

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EXPERIMENTS: RD-Performance

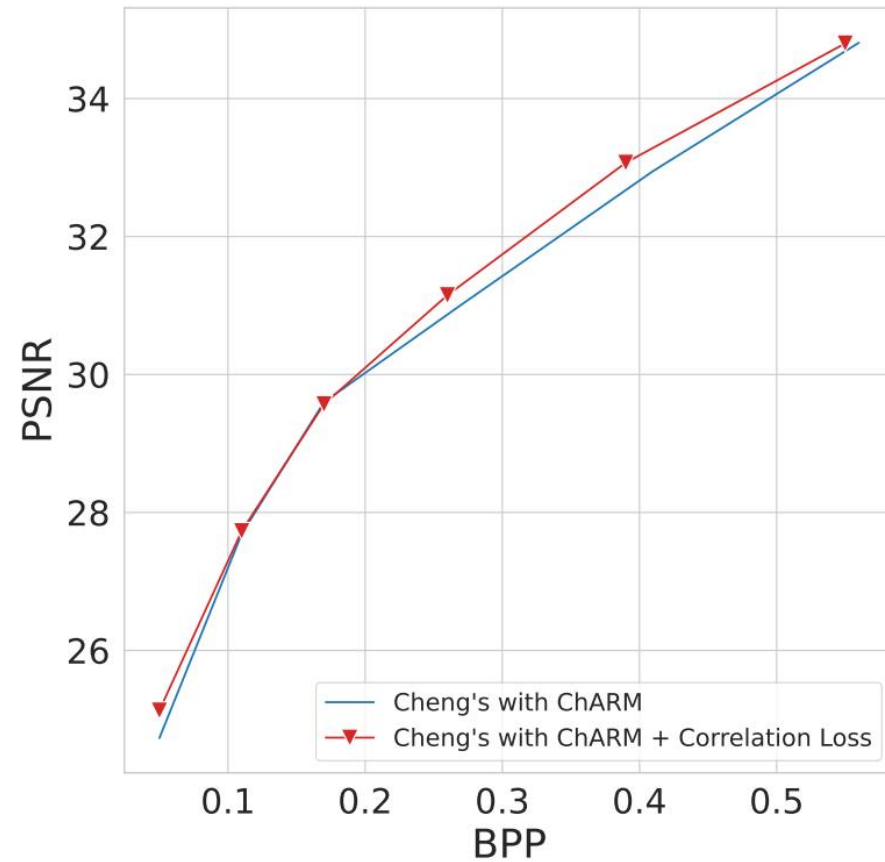
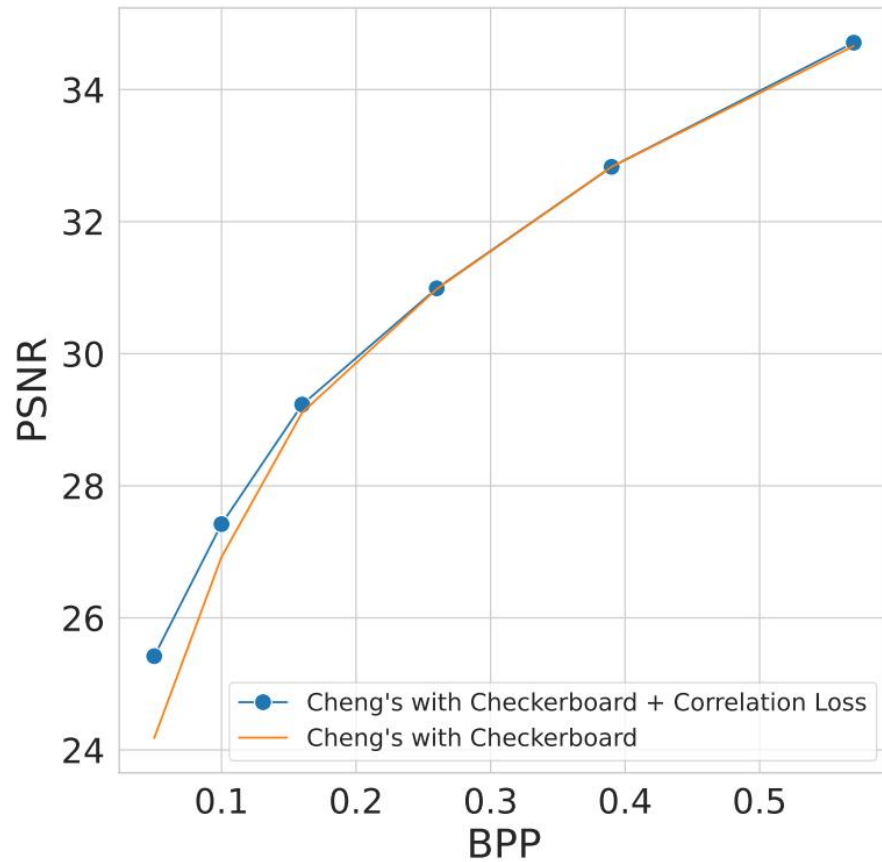
Combine with baseline methods



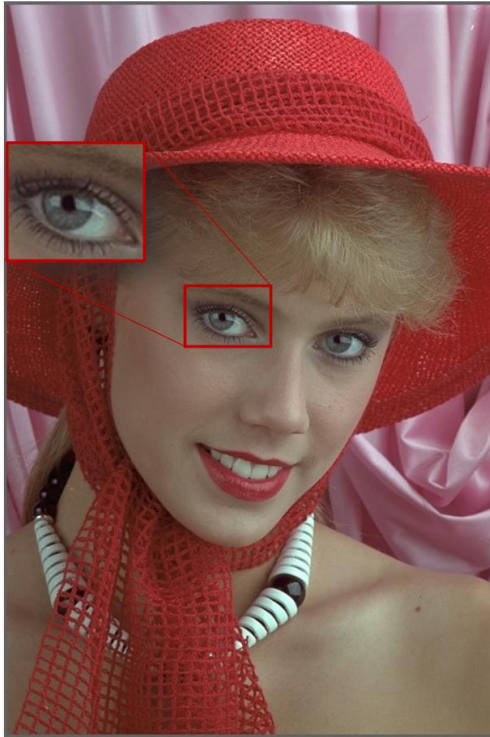
(a) Minnen's mean scale hyperprior (b) Cheng's mean scale hyperprior (c) SwinT mean scale hyperprior

EXPERIMENTS: RD-Performance

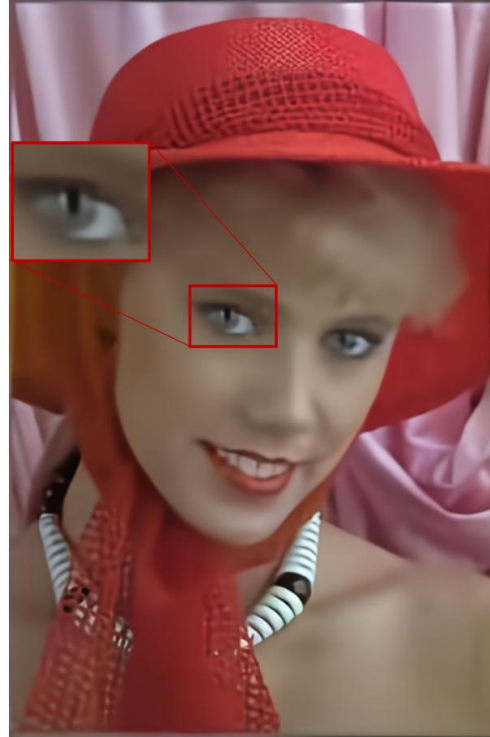
Combine with autoregressive models



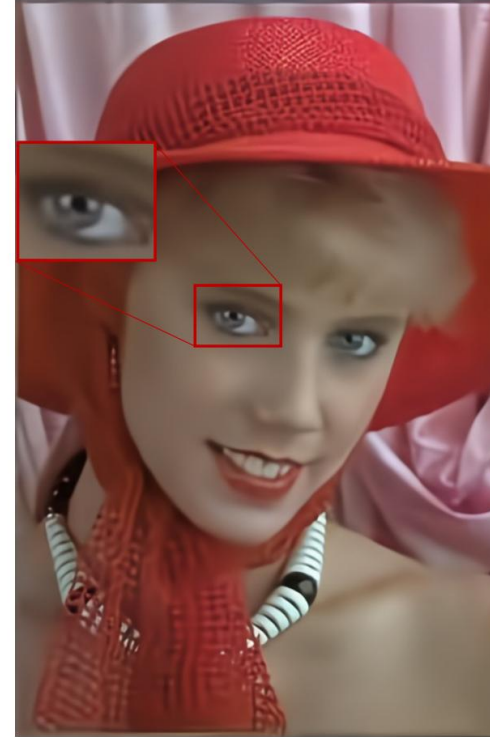
EXPERIMENTS: Reconstructed image quality



Original Image



Cheng's with Hyperprior
BPP: 0.06, PSNR: **27.74dB**



Cheng's with Correlation loss
BPP: 0.06, PSNR: **28.36dB**

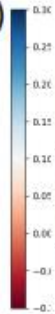
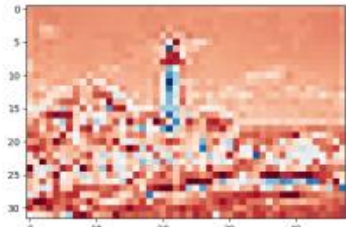
EXPERIMENTS: Visualization



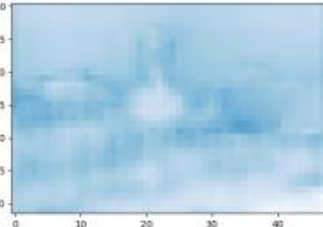
Input Image

Cheng's Hyperprior (HP)

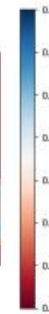
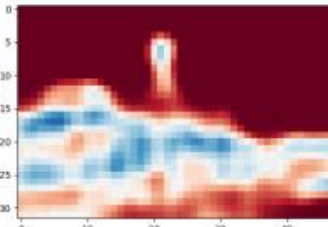
Quantized Latent (\hat{y})



Mean (μ)



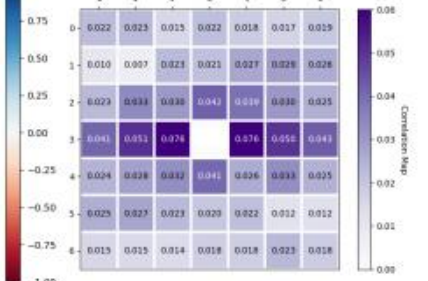
Scale (σ)



Normalized ($\frac{\hat{y}-\mu}{\sigma}$)



Correlation Map



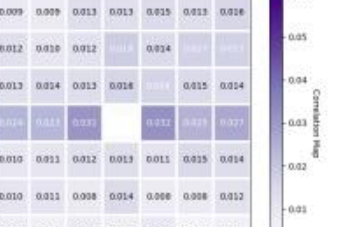
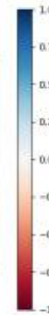
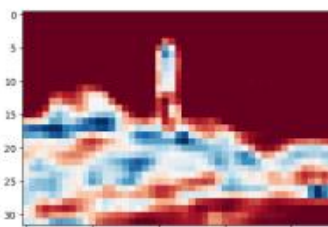
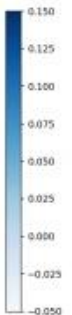
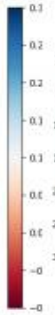
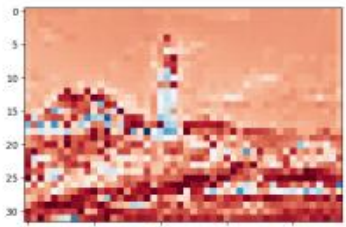
bpp (y + z): 0.062
PSNR: 24.37

bpp_z ($\mu + \sigma$): 0.003

bpp_y = 0.059

Avg Correlation: 0.0454

Cheng's HP + L_{corr}



bpp (y + z): 0.061 ($\Delta=0.001 \downarrow$)
PSNR: 24.75 ($\Delta=0.38 \uparrow$)

bpp_z ($\mu + \sigma$): 0.004 ($\Delta=0.001 \uparrow$)

bpp_y = 0.057
($\Delta=0.002 \downarrow$)

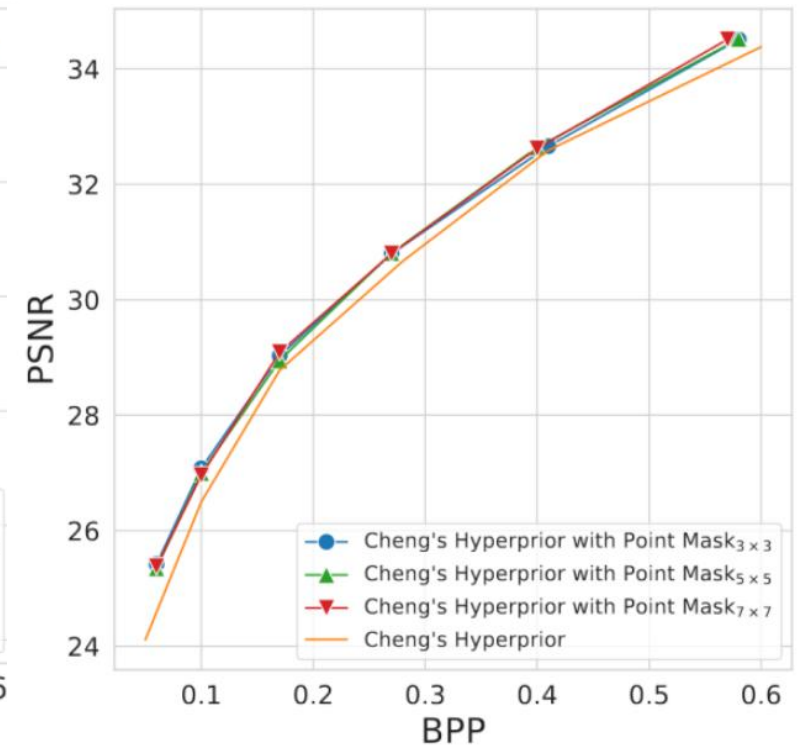
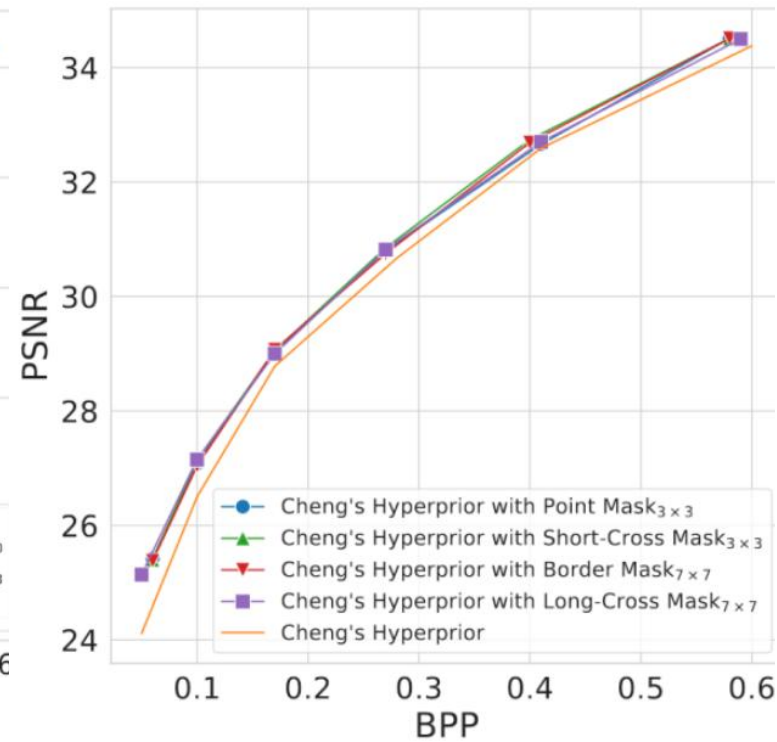
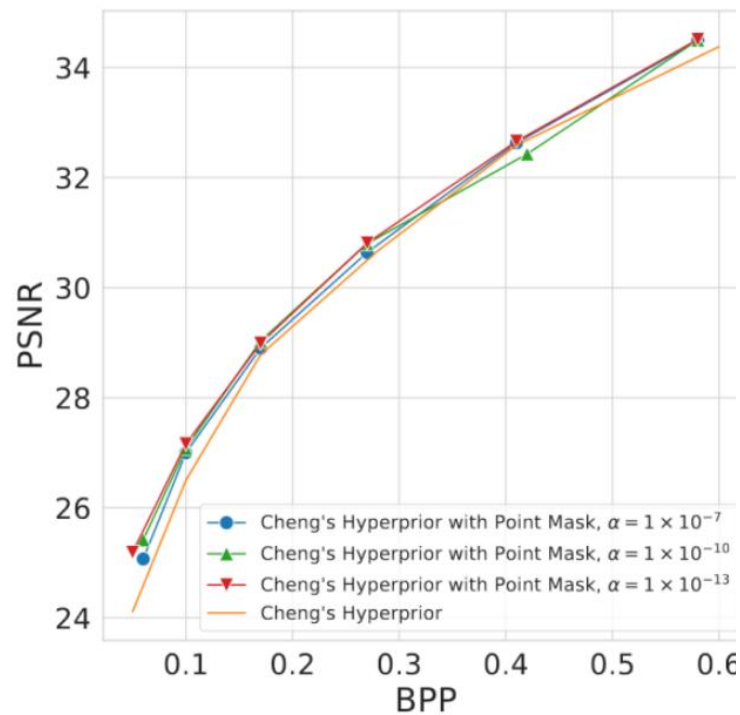
Avg Correlation: 0.0107
($\Delta=0.0347 \downarrow$)

EXPERIMENTS: Complexity tradeoff

| Architecture | BD Rate Gains (%) | Inference Time (sec) |
|---|-------------------|----------------------|
| Cheng's Hyperprior (CH) | — | 4.66 |
| CH + Correlation Loss (Proposed) | 9.5 | 4.66 |
| CH + Checkerboard | 10.37 | 5.33 |
| CH + Checkerboard + Correlation Loss (Proposed) | 16.50 | 5.33 |
| CH + ChARM | 14.69 | 8.14 |
| CH + ChARM + Correlation Loss (Proposed) | 17.99 | 8.14 |
| CH + AR Context | 18.47 | 251.65 |

EXPERIMENTS: Ablation study

- ◆ Different α
- ◆ Different mask
- ◆ Different windows



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CONCLUSION

- ◆ Design a loss function to narrow the difference between the predicted distribution and real distribution
- ◆ Improves the performance of existing methods without loss

Thanks for listening!