

GIRAFFE: Representing Scenes as Compositional Generative Neural Feature Fields

Michael Niemeyer, Andreas Geiger

CVPR 2021 Best Paper

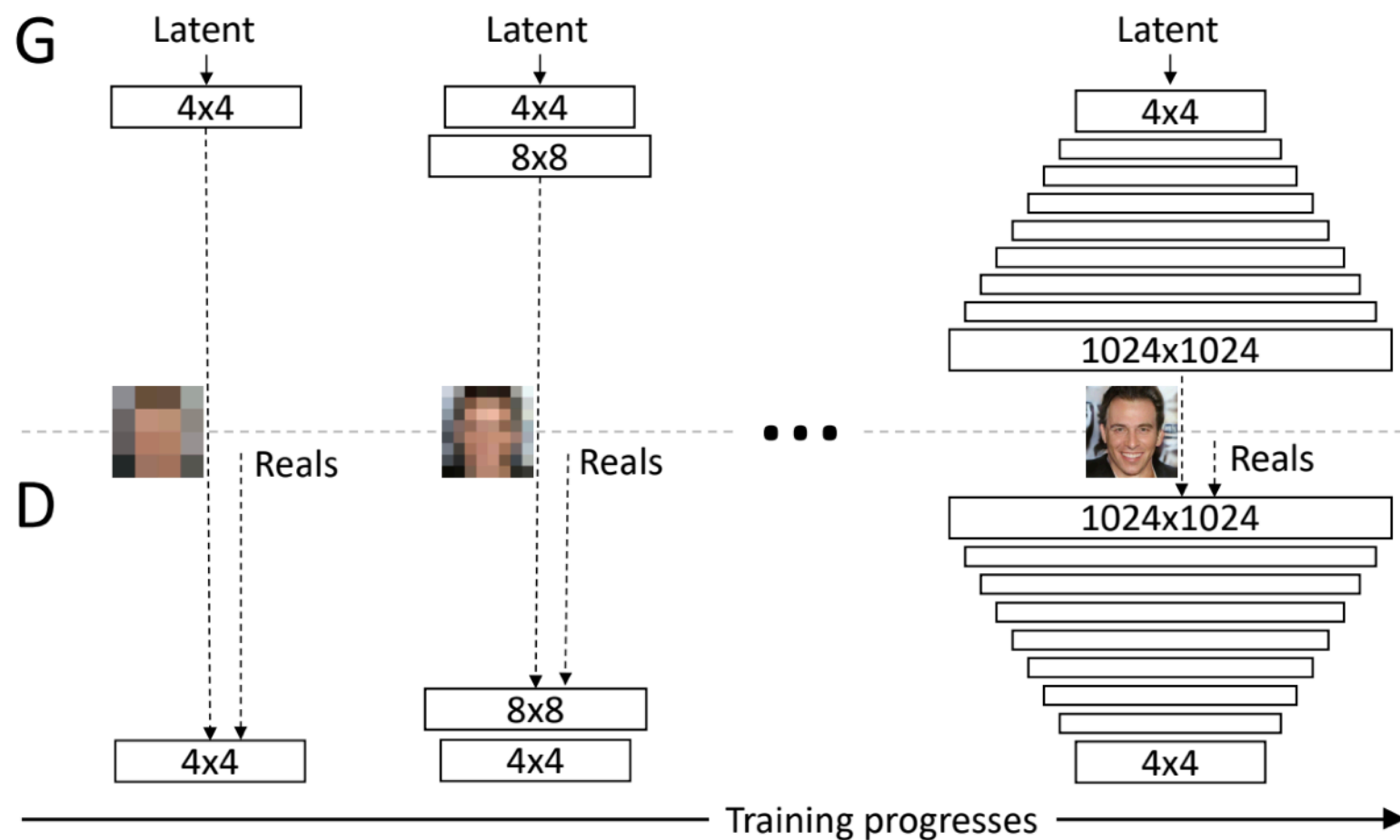
*STRUCT Group Seminar
Presenter: Wenjing Wang
2020.07.13*

OUTLINE

- Authorship
- Background
- Proposed Method
- Experimental Results
- Conclusion

BACKGROUND

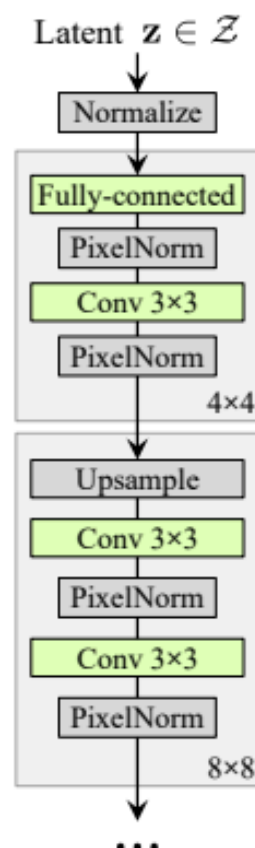
- ▶ GAN generator $\mathbf{I} = G(\mathbf{z})$, \mathbf{z} : d-dimensional latent; \mathbf{I} : image
- PGGAN (ICLR-18)



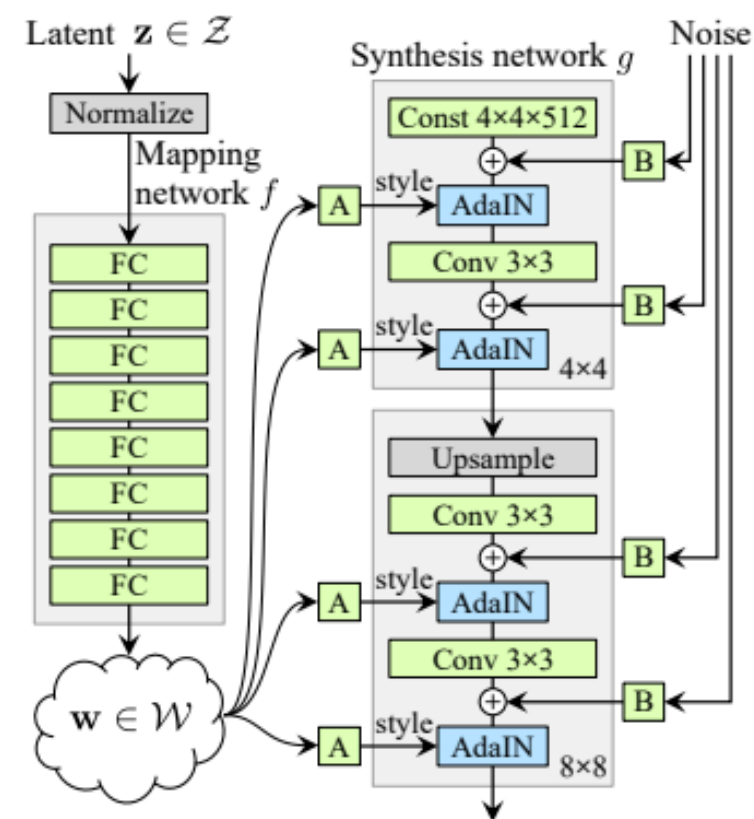
BACKGROUND

- Controllable image generation
- StyleGAN (CVPR-19)

 **Traditional**



 **StyleGAN**



Our generator thinks of an image as a collection of “styles”, where each style controls the effects at a particular scale

- Coarse styles → pose, hair, face shape
- Middle styles → facial features, eyes
- Fine styles → color scheme

BACKGROUND

► Controllable image generation

- Closed-Form Factorization of Latent Semantics in GANs (CVPR21)

- GAN generator $\mathbf{I} = G(\mathbf{z})$, \mathbf{z} : d-dimensional latent; \mathbf{I} : image

- Manipulation/Editing only consider the first projection step

$$\begin{aligned}\mathbf{y}' &\triangleq G_1(\mathbf{z}') = G_1(\mathbf{z} + \alpha\mathbf{n}) \\ &= \mathbf{Az} + \mathbf{b} + \alpha\mathbf{An} = \mathbf{y} + \alpha\mathbf{An}\end{aligned}$$

BACKGROUND

- ▶ Controlable image generation
 - Closed-Form Factorization of Latent Semantics in GANs (CVPR21)

Posture (Left & Right)



Posture (Up & Down)



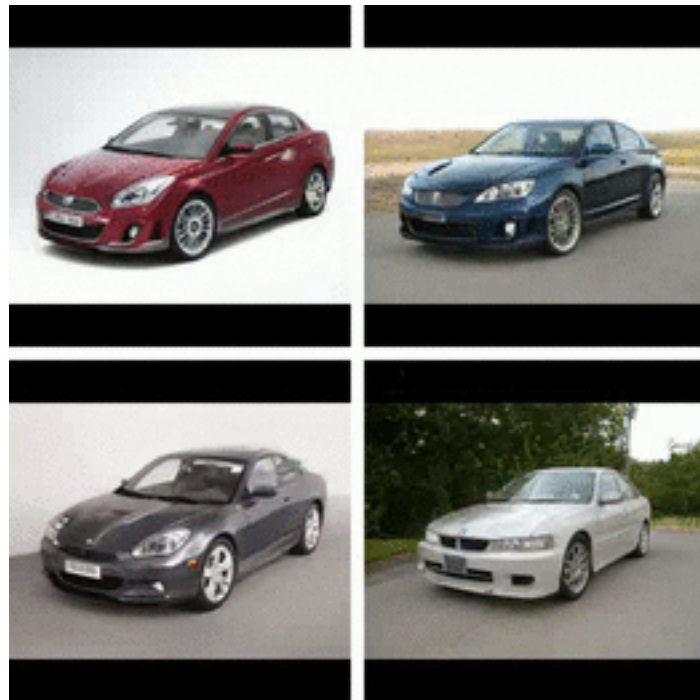
Zoom



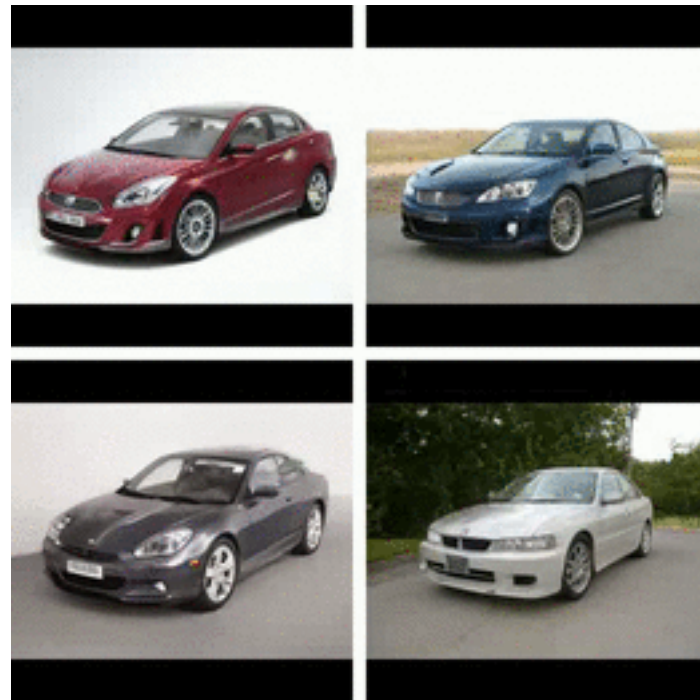
BACKGROUND

- ▶ Controllable image generation
 - Closed-Form Factorization of Latent Semantics in GANs (CVPR21)

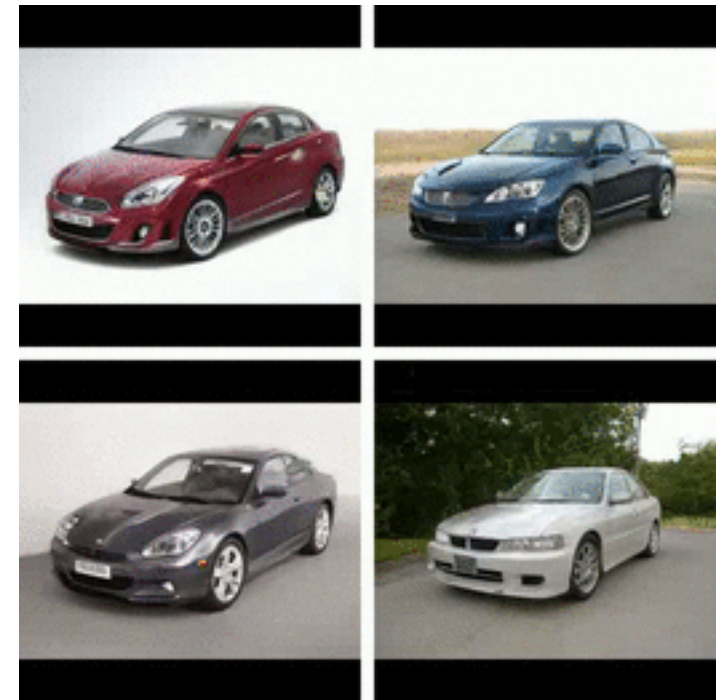
Orientation



Vertical Position



Shape



OUTLINE

- Authorship
- Background
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- Conclusion

PROPOSED METHOD

- Controllable image generation
 - Single-object translation



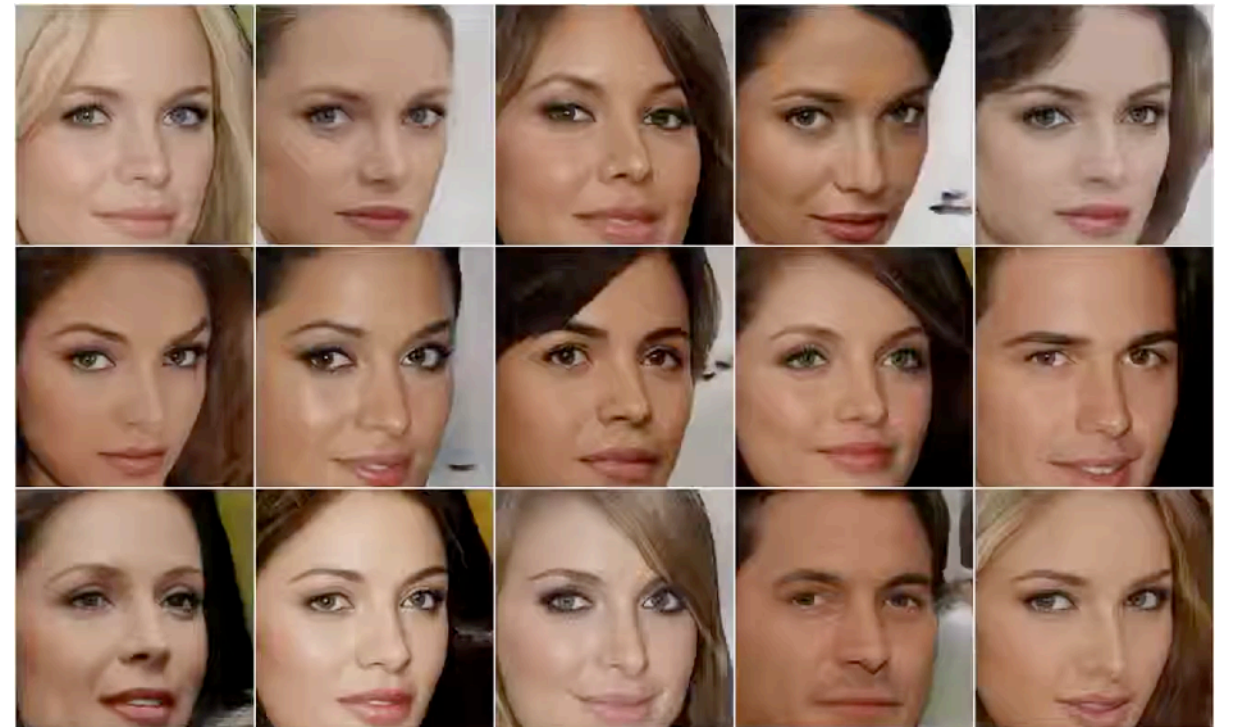
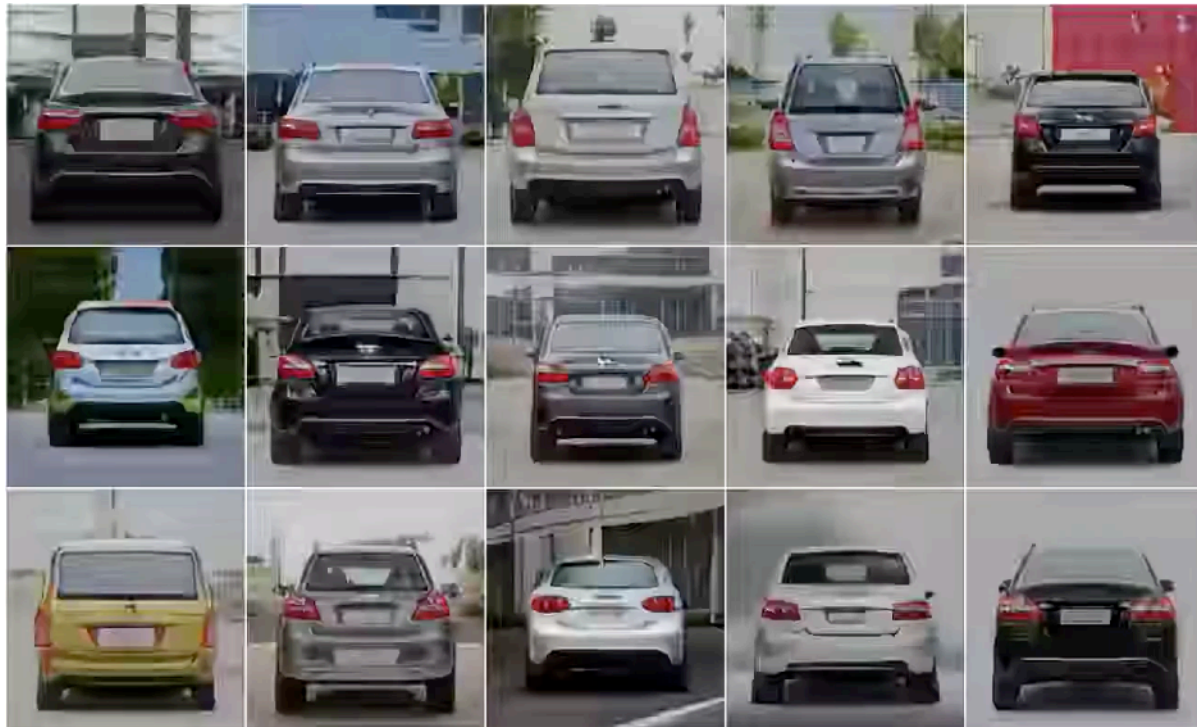
2D-based GAN



Our Method

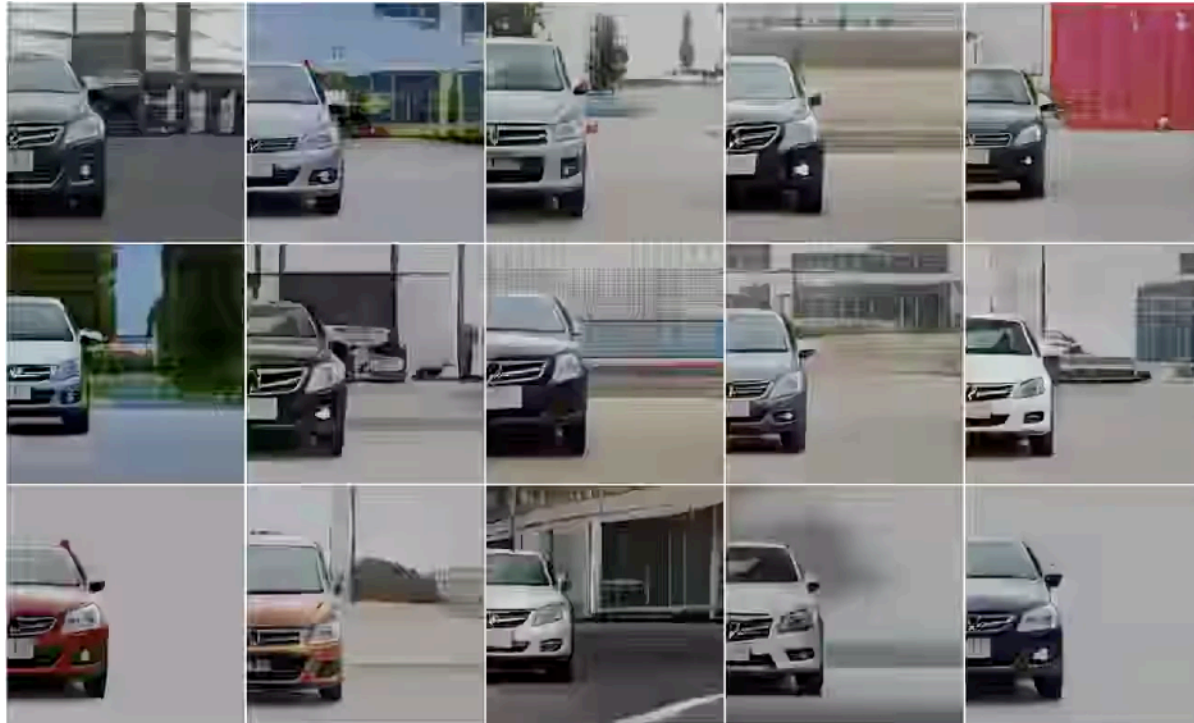
PROPOSED METHOD

- ▶ Controllable image generation
 - Rotate object



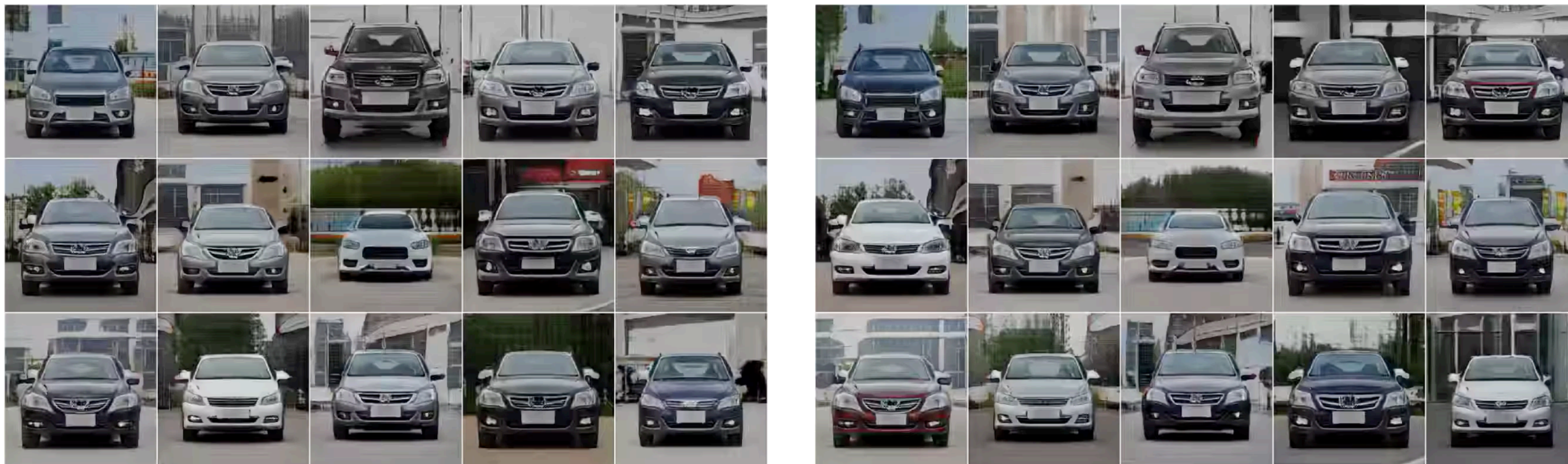
PROPOSED METHOD

- ▶ Controllable image generation
 - Horizontal/Vertical translation



PROPOSED METHOD

- ▶ Controllable image generation
 - Change object/background appearance



PROPOSED METHOD

► Controllable image generation



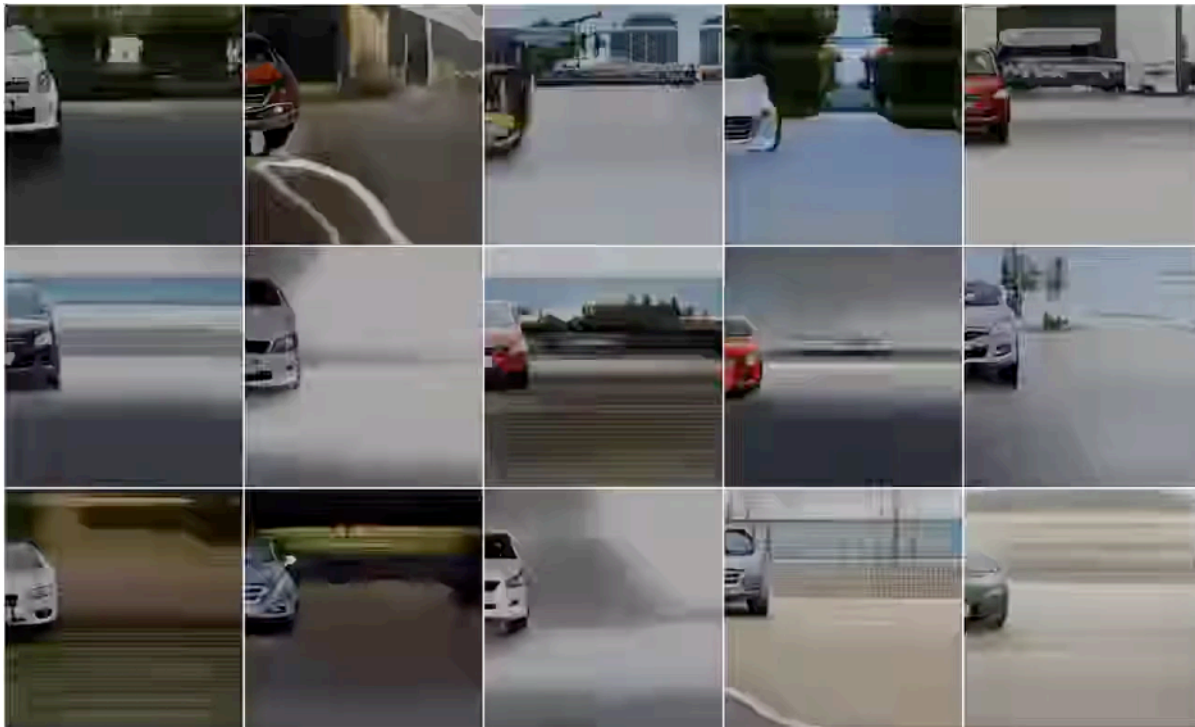
Change Background Appearance



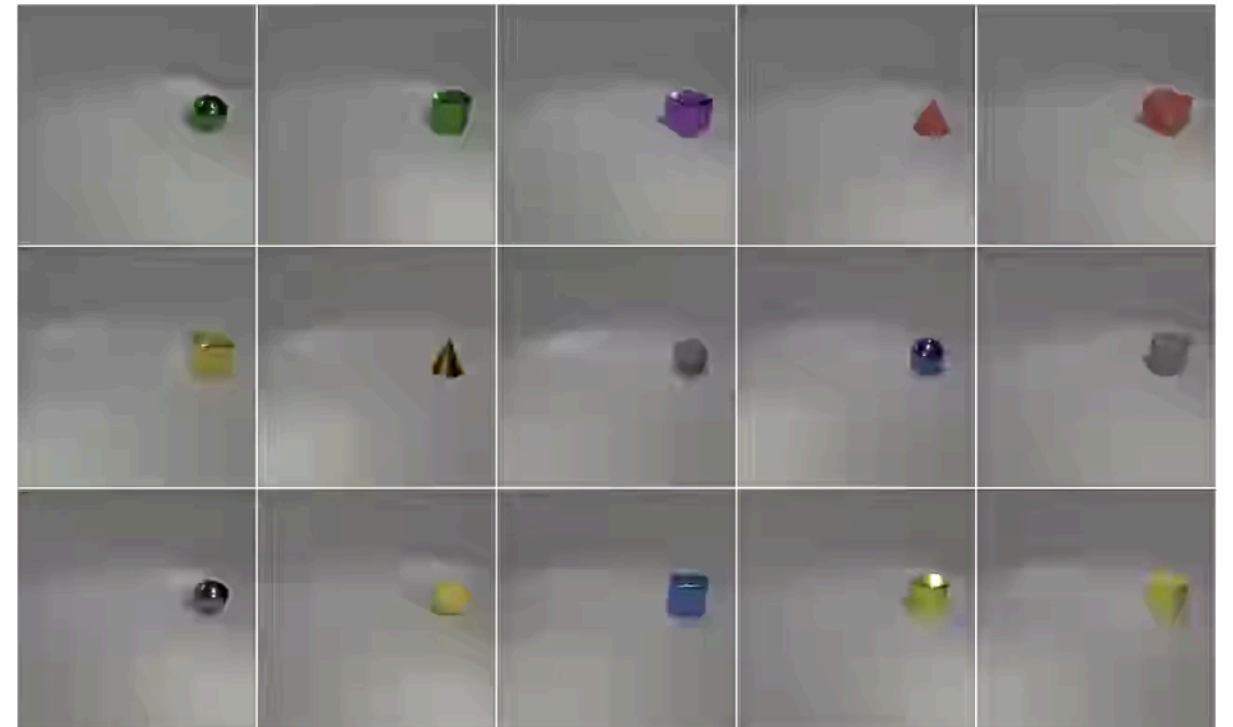
Circular Translation

PROPOSED METHOD

- Controllable image generation
- Out-of-Distribution Generalization



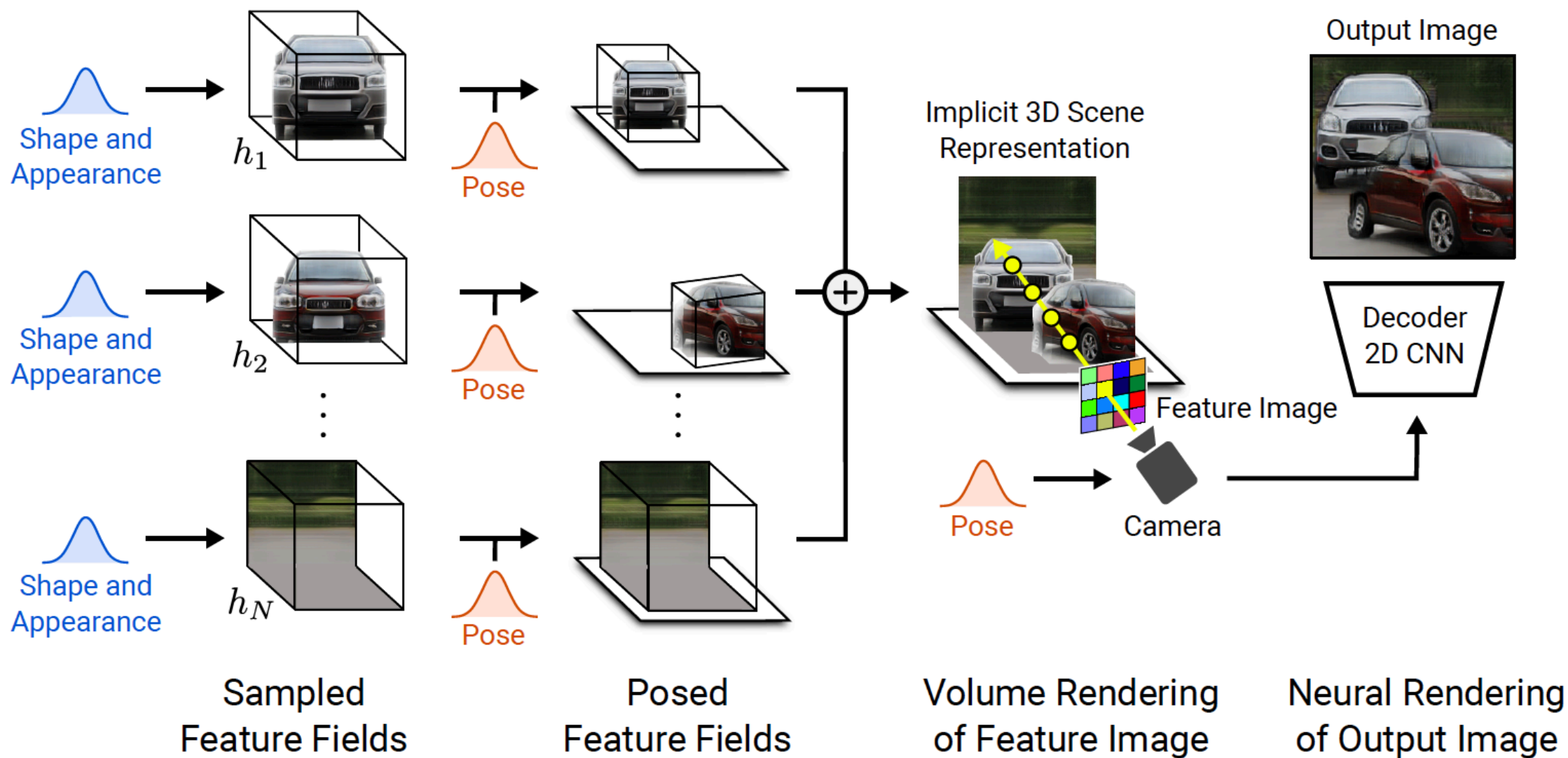
Trained On One-Object Scenes



Trained On Two-Object Scenes

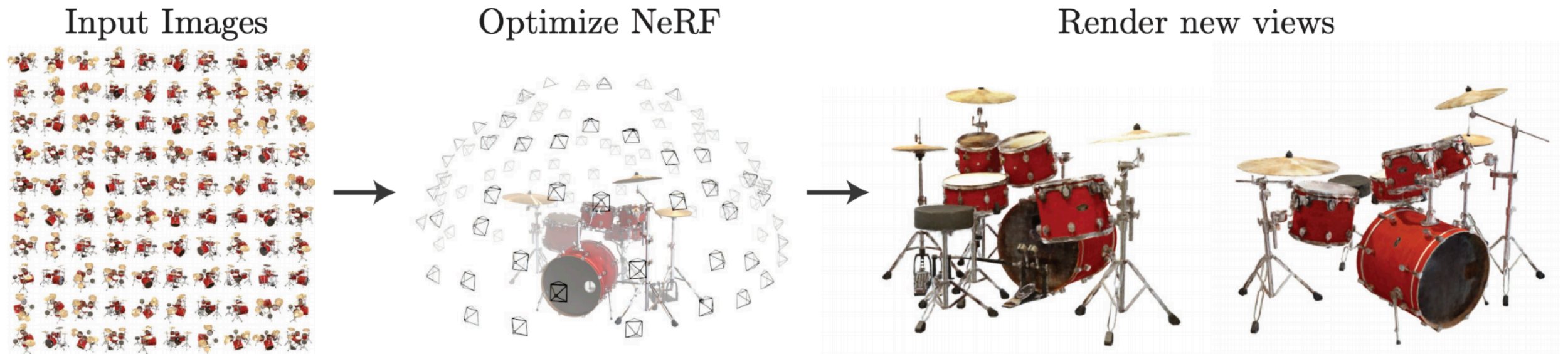
PROPOSED METHOD

► Compositional Generative Neural Feature Fields



PROPOSED METHOD

- NeRF (ECCV20, Best Paper Honorable Mention)
- Task: optimizes a continuous 5D neural radiance field representation



PROPOSED METHOD

► NeRF (ECCV20, Best Paper Honorable Mention)

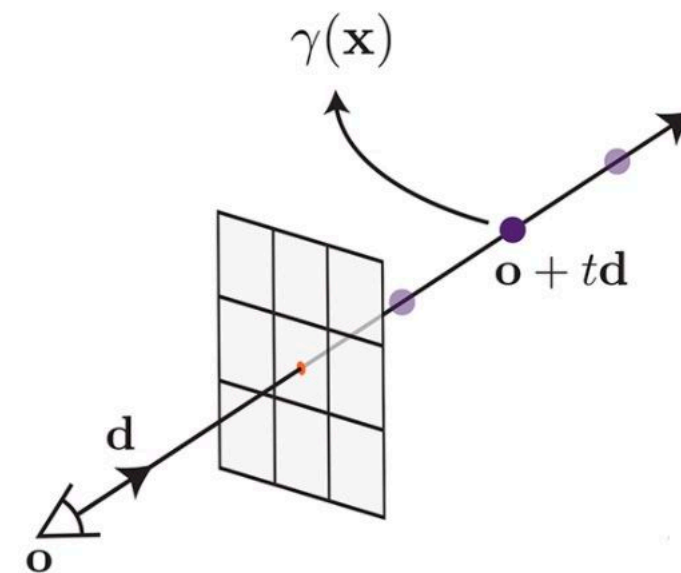
- Neural Radiance Field
- Input:
 - 3D point, $(x,y,z) \in \mathbb{R}^3$ (\mathbb{R}^{L_x})
 - Viewing direction, $(\theta,\varphi) \in \mathbb{R}^2$ (\mathbb{R}^{L_d})
- Output:
 - Volume density, $\sigma \in \mathbb{R}^+$
 - RGB color value, $(r,g,b) \in \mathbb{R}^3$

$$f_{\theta} : \mathbb{R}^{L_x} \times \mathbb{R}^{L_d} \rightarrow \mathbb{R}^+ \times \mathbb{R}^3$$
$$(\gamma(\mathbf{x}), \gamma(\mathbf{d})) \mapsto (\sigma, \mathbf{c})$$

PROPOSED METHOD

- ▶ NeRF (ECCV20, Best Paper Honorable Mention)

- Volume Rendering



The volume density $\sigma(x)$ can be interpreted as the differential probability of a ray terminating at an infinitesimal particle at location x .

$$\text{Color: } C(\mathbf{r}) = \int_{t_n}^{t_f} T(t) \sigma(\mathbf{r}(t)) \mathbf{c}(\mathbf{r}(t), \mathbf{d}) dt, \text{ where } T(t) = \exp\left(-\int_{t_n}^t \sigma(\mathbf{r}(s)) ds\right)$$

$$\text{Camera ray: } \mathbf{r}(t) = \mathbf{o} + t\mathbf{d}$$

PROPOSED METHOD

- ▶ NeRF (ECCV20, Best Paper Honorable Mention)

$$f_{\theta} : \mathbb{R}^{L_{\mathbf{x}}} \times \mathbb{R}^{L_{\mathbf{d}}} \rightarrow \mathbb{R}^+ \times \mathbb{R}^3$$
$$(\gamma(\mathbf{x}), \gamma(\mathbf{d})) \mapsto (\sigma, \mathbf{c})$$

- Volume Rendering

Discrete Version:

$$\hat{C}(\mathbf{r}) = \sum_{i=1}^N T_i (1 - \exp(-\sigma_i \delta_i)) \mathbf{c}_i, \text{ where } T_i = \exp\left(-\sum_{j=1}^{i-1} \sigma_j \delta_j\right)$$

$$\delta_i = t_{i+1} - t_i$$

PROPOSED METHOD

► NeRF (ECCV20, Best Paper Honorable Mention)

- Positional encoding

- Mapping the inputs to a higher dimensional space using high frequency functions before passing them to the network

→ Better fitting of data that contains high frequency variation

$$\gamma(p) = (\sin(2^0\pi p), \cos(2^0\pi p), \dots, \sin(2^{L-1}\pi p), \cos(2^{L-1}\pi p))$$

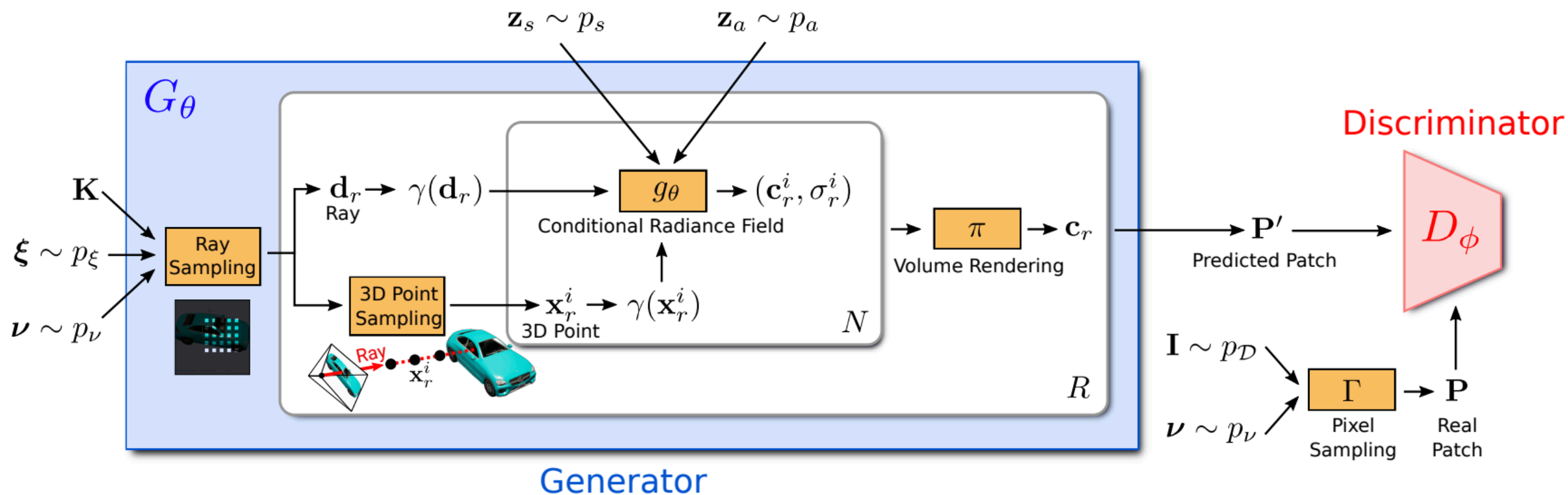
- $\gamma(\cdot)$ applied separately to each values in x and d
- x and d normalized to $[-1,1]$

PROPOSED METHOD

► GRAF (NeurIPS20)

$$g_{\theta} : \mathbb{R}^{L_x} \times \mathbb{R}^{L_d} \times \mathbb{R}^{M_s} \times \mathbb{R}^{M_a} \rightarrow \mathbb{R}^+ \times \mathbb{R}^3$$

$$(\gamma(\mathbf{x}), \gamma(\mathbf{d}), \mathbf{z}_s, \mathbf{z}_a) \mapsto (\sigma, \mathbf{c}) \quad \mathbf{z}_s, \mathbf{z}_a \sim \mathcal{N}(\mathbf{0}, I)$$



PROPOSED METHOD

- NeRF (ECCV20, Best Paper Honorable Mention)

$$f_{\theta} : \mathbb{R}^{L_{\mathbf{x}}} \times \mathbb{R}^{L_{\mathbf{d}}} \rightarrow \mathbb{R}^+ \times \mathbb{R}^3 \quad (\gamma(\mathbf{x}), \gamma(\mathbf{d})) \mapsto (\sigma, \mathbf{c})$$

PROPOSED METHOD

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- GRAF (NeurIPS20)

$$g_{\theta} : \mathbb{R}^{L_{\mathbf{x}}} \times \mathbb{R}^{L_{\mathbf{d}}} \times \boxed{\mathbb{R}^{M_s} \times \mathbb{R}^{M_a}} \rightarrow \mathbb{R}^+ \times \mathbb{R}^3$$

$$(\gamma(\mathbf{x}), \gamma(\mathbf{d}), \boxed{\mathbf{z}_s, \mathbf{z}_a}) \mapsto (\sigma, \mathbf{c}) \quad \mathbf{z}_s, \mathbf{z}_a \sim \mathcal{N}(\mathbf{0}, I) \quad \text{Appearance control}$$

PROPOSED METHOD

- NeRF (ECCV20, Best Paper Honorable Mention)

$$f_{\theta} : \mathbb{R}^{L_{\mathbf{x}}} \times \mathbb{R}^{L_{\mathbf{d}}} \rightarrow \mathbb{R}^+ \times \mathbb{R}^3 \quad (\gamma(\mathbf{x}), \gamma(\mathbf{d})) \mapsto (\sigma, \mathbf{c})$$

- GRAF (NeurIPS20)

$$g_{\theta} : \mathbb{R}^{L_{\mathbf{x}}} \times \mathbb{R}^{L_{\mathbf{d}}} \times \boxed{\mathbb{R}^{M_s} \times \mathbb{R}^{M_a}} \rightarrow \mathbb{R}^+ \times \mathbb{R}^3$$

$$(\gamma(\mathbf{x}), \gamma(\mathbf{d}), \boxed{\mathbf{z}_s, \mathbf{z}_a}) \mapsto (\sigma, \mathbf{c}) \quad \mathbf{z}_s, \mathbf{z}_a \sim \mathcal{N}(\mathbf{0}, I) \quad \text{Appearance control}$$

- This paper

$$h_{\theta} : \mathbb{R}^{L_{\mathbf{x}}} \times \mathbb{R}^{L_{\mathbf{d}}} \times \mathbb{R}^{M_s} \times \mathbb{R}^{M_a} \rightarrow \mathbb{R}^+ \times \boxed{\mathbb{R}^{M_f}}$$

$$(\gamma(\mathbf{x}), \gamma(\mathbf{d}), \mathbf{z}_s, \mathbf{z}_a) \mapsto (\sigma, \boxed{\mathbf{f}})$$

Output feature vector

PROPOSED METHOD

► Object Representation

- NeRF and GRAF: the entire scene is represented by a single model
- This paper: control pose, shape and appearance of individual objects

Each object has a feature field + affine transformation

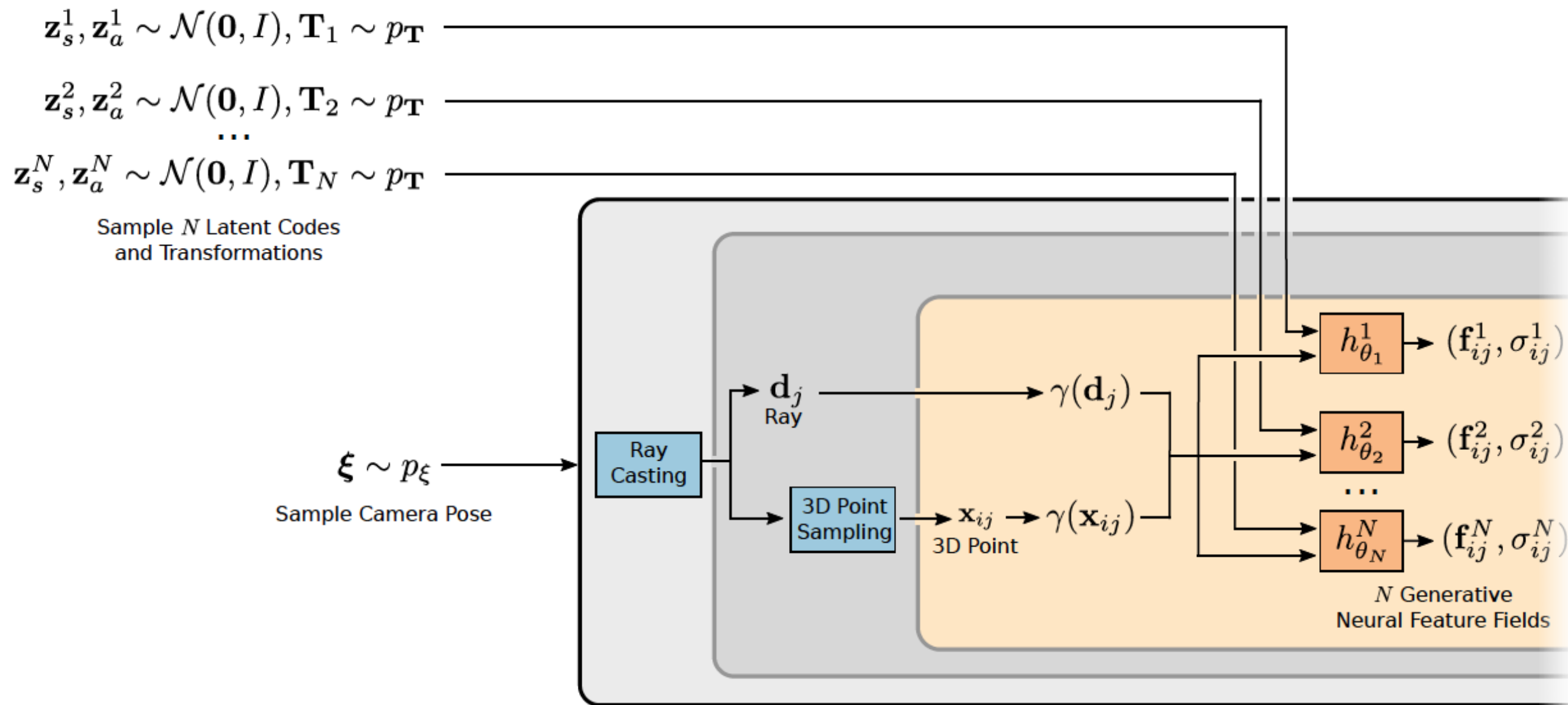
$$\mathbf{T} = \{\mathbf{s}, \mathbf{t}, \mathbf{R}\} \quad k(\mathbf{x}) = \mathbf{R} \cdot \begin{bmatrix} s_1 & & \\ & s_2 & \\ & & s_3 \end{bmatrix} \cdot \mathbf{x} + \mathbf{t}$$

(scale, translation, rotation)

Volume render in scene space and evaluate the feature field in its canonical object space

$$(\sigma, \mathbf{f}) = h_{\theta}(\gamma(k^{-1}(\mathbf{x})), \gamma(k^{-1}(\mathbf{d})), \mathbf{z}_s, \mathbf{z}_a)$$

PROPOSED METHOD



PROPOSED METHOD

► Scene Compositions

- N entities: N-1 objects + background
- Sum up the individual densities and to use the density-weighted mean to combine all features at (x, d)

$$C(\mathbf{x}, \mathbf{d}) = \left(\sigma, \frac{1}{\sigma} \sum_{i=1}^N \sigma_i \mathbf{f}_i \right), \text{ where } \sigma = \sum_{i=1}^N \sigma_i \quad \text{Density } \sigma_i \in \mathbb{R}^+$$

- Additional benefit: ensure gradient flow to all entities with a density greater than 0

PROPOSED METHOD

► Scene Rendering, two steps:

- 3D Volume Rendering

$$\pi_{\text{vol}} : (\mathbb{R}^+ \times \mathbb{R}^{M_f})^{N_s} \rightarrow \mathbb{R}^{M_f}, \quad \{\sigma_j, \mathbf{f}_j\}_{j=1}^{N_s} \mapsto \mathbf{f}$$

- Numerical integration in NeRF

$$\mathbf{f} = \sum_{j=1}^{N_s} \tau_j \alpha_j \mathbf{f}_j \quad \tau_j = \prod_{k=1}^{j-1} (1 - \alpha_k) \quad \alpha_j = 1 - e^{-\sigma_j \delta_j}$$

- For efficiency, render feature at resolution 16×16

PROPOSED METHOD

► Scene Rendering, two steps:

• **2D Neural Rendering** $\pi_{\theta}^{\text{neural}} : \mathbb{R}^{H_V \times W_V \times M_f} \rightarrow \mathbb{R}^{H \times W \times 3}$

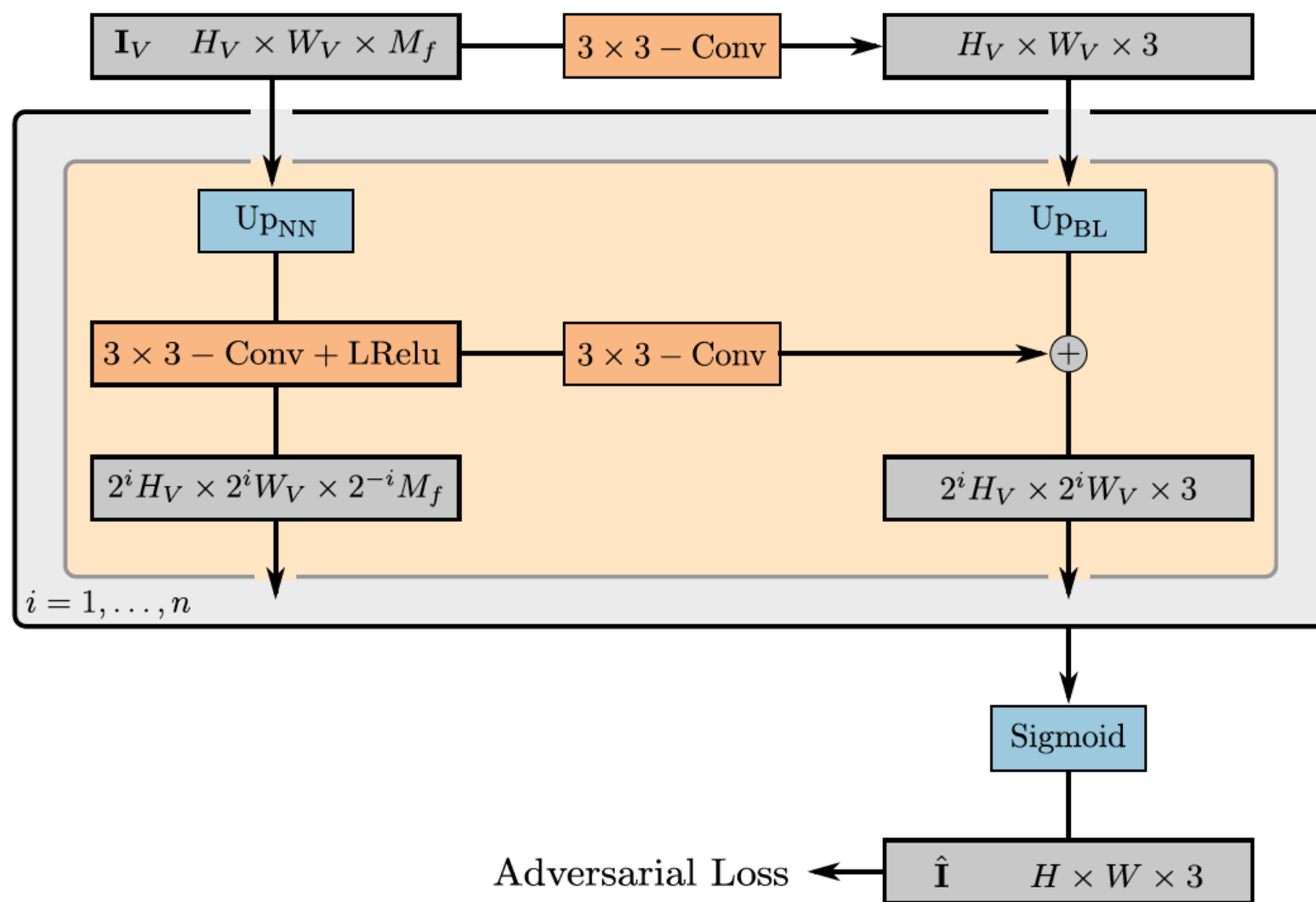
• Design a 2D CNN

- Small kernel sizes and no intermediate layers: only allow for spatially small refinements, avoid entangling global scene properties.
- Map the feature image to an RGB image at every spatial resolution, and add the previous output to the next via bilinear upsampling.
- Sigmoid activation to the last RGB layer.

PROPOSED METHOD

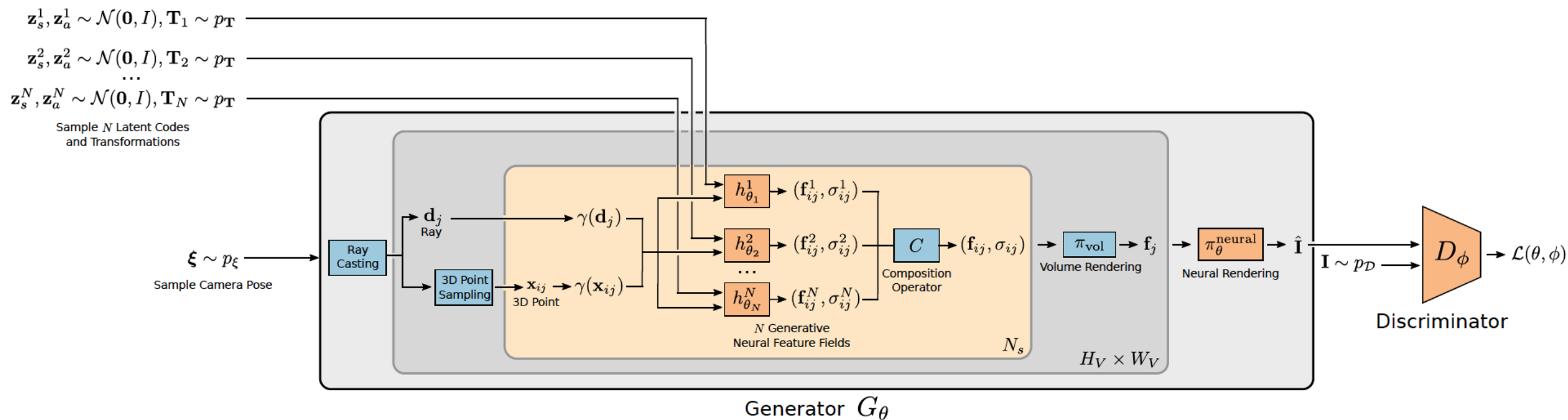
► Scene Rendering, two steps:

- 2D Neural Rendering



PROPOSED METHOD

► Framework



Orange indicates learnable and blue non-learnable operations.

PROPOSED METHOD

► Framework

$$\mathbf{z}_s^1, \mathbf{z}_a^1 \sim \mathcal{N}(\mathbf{0}, I), \mathbf{T}_1 \sim p_{\mathbf{T}}$$

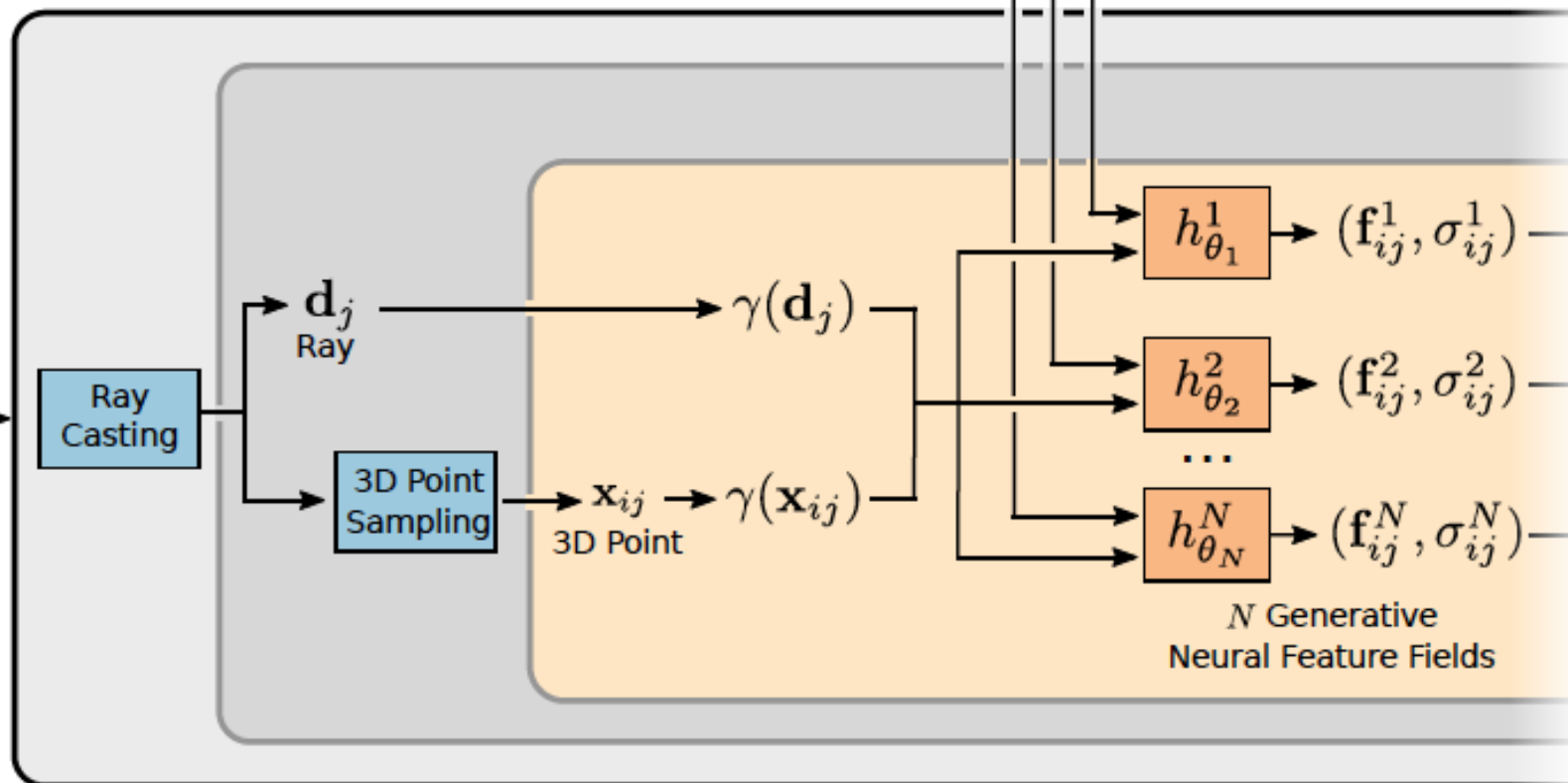
$$\mathbf{z}_s^2, \mathbf{z}_a^2 \sim \mathcal{N}(\mathbf{0}, I), \mathbf{T}_2 \sim p_{\mathbf{T}}$$

...

$$\mathbf{z}_s^N, \mathbf{z}_a^N \sim \mathcal{N}(\mathbf{0}, I), \mathbf{T}_N \sim p_{\mathbf{T}}$$

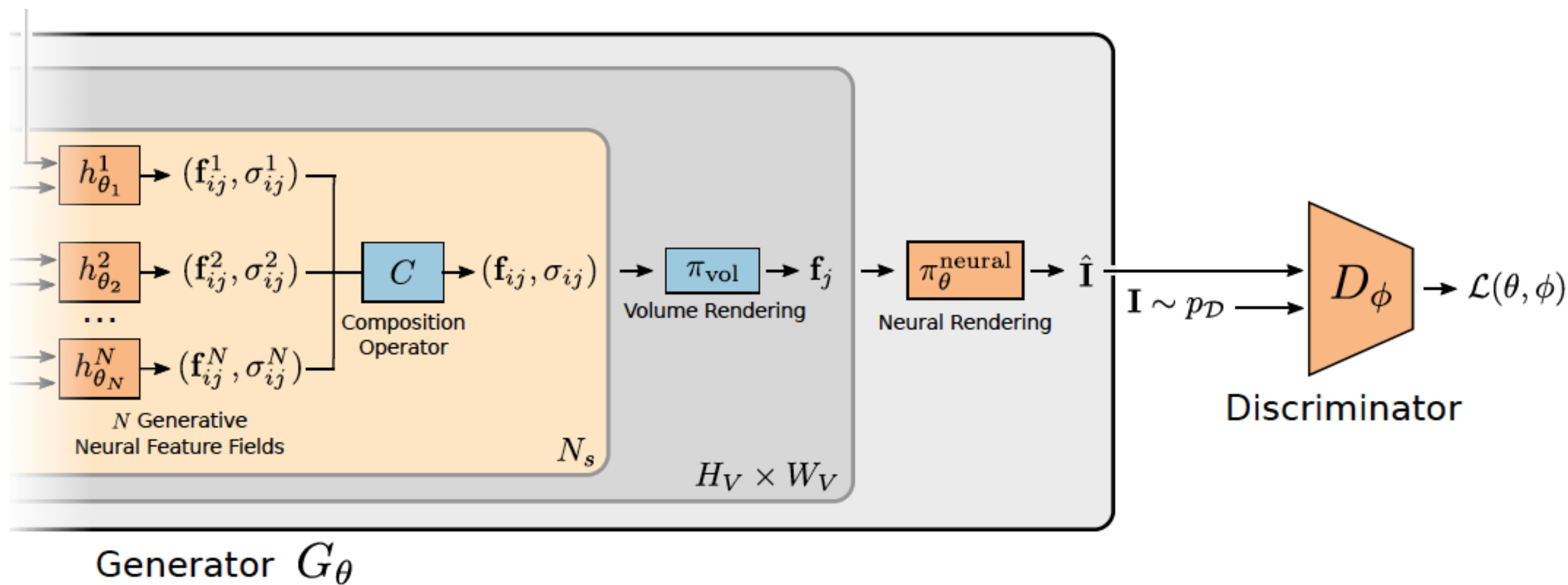
Sample N Latent Codes
and Transformations

$\xi \sim p_{\xi}$
Sample Camera Pose



PROPOSED METHOD

► Framework



PROPOSED METHOD

► Generator

$$G_{\theta}(\{\mathbf{z}_s^i, \mathbf{z}_a^i, \mathbf{T}_i\}_{i=1}^N, \boldsymbol{\xi}) = \pi_{\theta}^{\text{neural}}(\mathbf{I}_V)$$

$$\text{where } \mathbf{I}_V = \left\{ \pi_{\text{vol}}(\{C(\mathbf{x}_{jk}, \mathbf{d}_k)\}_{j=1}^{N_s}) \right\}_{k=1}^{H_V \times W_V}$$

► Discriminator

Layer Type	Kernel Size	Stride	Padding	Activation	Feature Dimension	Spatial Output Dimensions
Conv	4×4	2	1	LReLU	16	128×128
Conv	4×4	2	1	LReLU	32	64×64
Conv	4×4	2	1	LReLU	64	32×32
Conv	4×4	2	1	LReLU	128	16×16
Conv	4×4	2	1	LReLU	256	8×8
Conv	4×4	2	1	LReLU	512	4×4
Conv	4×4	1	0	-	1	1×1

(b) 256^2 Pixel Resolution.

PROPOSED METHOD

- Loss: GAN + R1 gradient penalty

$$\mathcal{V}(\theta, \phi) =$$

$$\mathbb{E}_{\mathbf{z}_s^i, \mathbf{z}_a^i \sim \mathcal{N}, \boldsymbol{\xi} \sim p_{\boldsymbol{\xi}}, \mathbf{T}_i \sim p_T} [f(D_{\phi}(G_{\theta}(\{\mathbf{z}_s^i, \mathbf{z}_a^i, \mathbf{T}_i\}_i, \boldsymbol{\xi})))] \\ + \mathbb{E}_{\mathbf{I} \sim p_{\mathcal{D}}} [f(-D_{\phi}(\mathbf{I})) - \lambda \|\nabla D_{\phi}(\mathbf{I})\|^2]$$

where $f(t) = -\log(1 + \exp(-t))$, $\lambda = 10$

OUTLINE

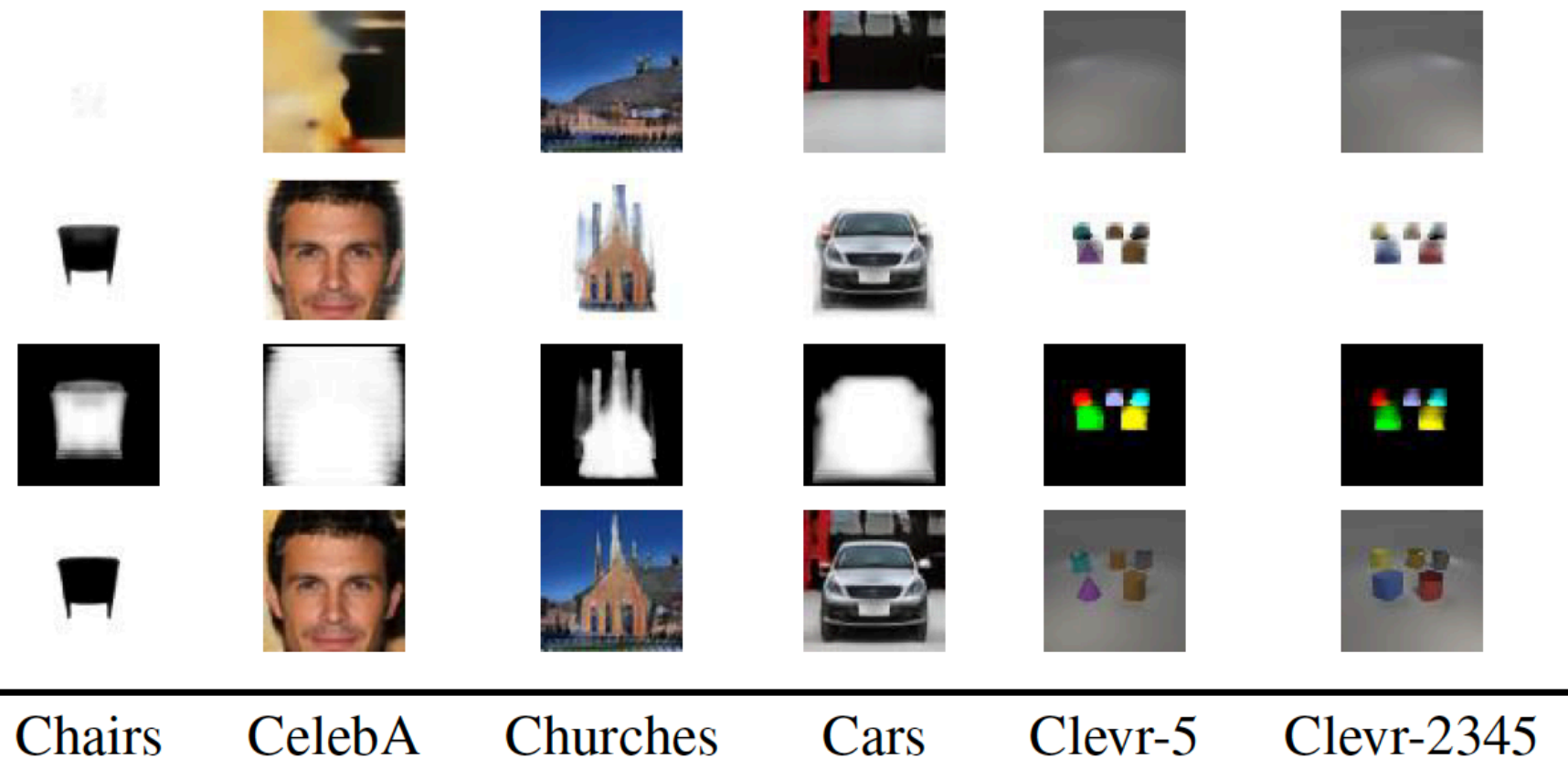
- Authorship
- Background
- Proposed Method
- **Experimental Results**
- Conclusion

EXPERIMENTAL RESULTS

- ▶ Single-object datasets
 - Chairs, Cats, CelebA, CelebA-HQ
 - Background is purely white or only takes up a small part of the image
- ▶ More challenging single-object, real-world datasets
 - CompCars, LSUN Churches, FFHQ
 - Object is not always in the center, the background is more cluttered
- ▶ Multi-object datasets
 - Scenes with 2, 3, 4, or 5 random primitives (Clevr-N)

EXPERIMENTAL RESULTS

► Scene Disentanglement



- From top to bottom: only backgrounds, only objects, color-coded object alpha maps, and the final synthesized images (64×64)

EXPERIMENTAL RESULTS

► Training Progression



Figure 6: Training Progression. We show renderings of our model on *Clevr-2345* at 256^2 pixels after 0, 1, 2, 3, 10, and 100-thousand iterations. Unsupervised disentanglement emerges already at the very beginning of training.

EXPERIMENTAL RESULTS

► Controllable Scene Generation



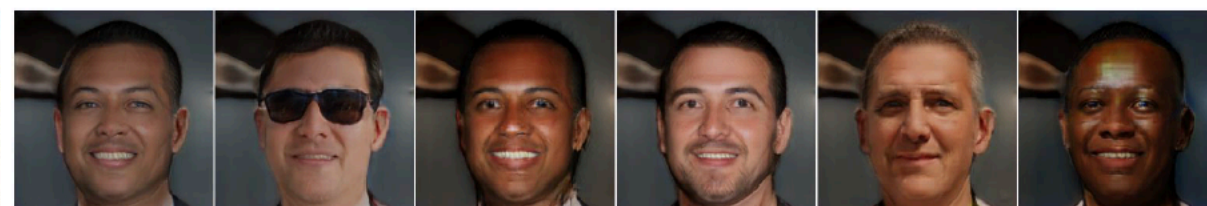
(a) Object Rotation



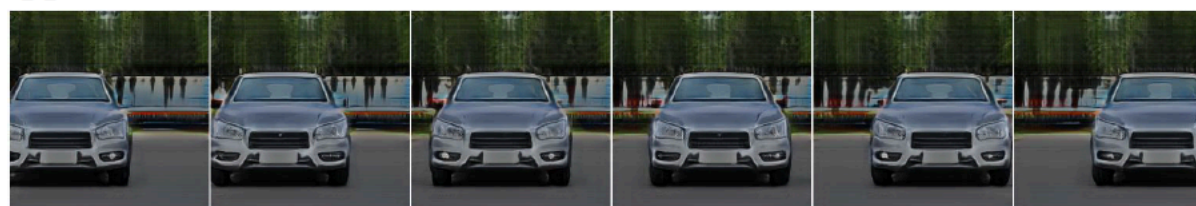
(b) Camera Elevation



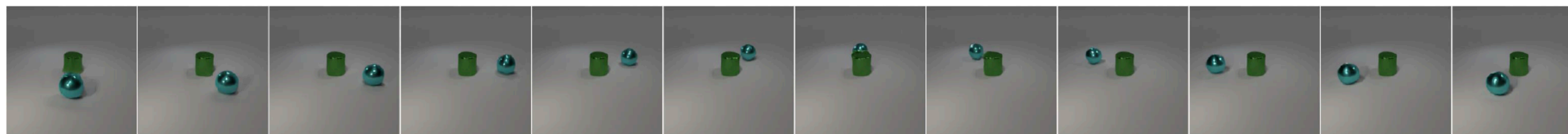
(c) Object Appearance



(d) Depth Translation



(e) Horizontal Translation



(f) Circular Translation of One Object Around Another Object

EXPERIMENTAL RESULTS

► Comparison to Baseline Methods

	Cats	CelebA	Cars	Chairs	Churches
2D GAN [58]	18	15	16	59	19
Plat. GAN [32]	318	321	299	199	242
BlockGAN [64]	47	69	41	41	28
HoloGAN [63]	27	25	17	59	31
GRAF [77]	26	25	39	34	38
Ours	8	6	16	20	17

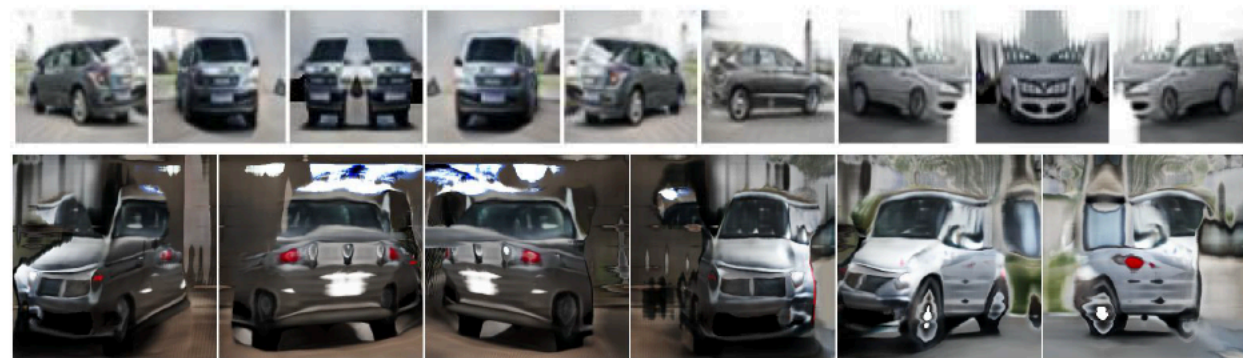
Table 1: **Quantitative Comparison.** We report the FID score (\downarrow) at 64^2 pixels for baselines and our method.

	CelebA-HQ	FFHQ	Cars	Churches	Clevr-2
HoloGAN [63]	61	192	34	58	241
w/o 3D Conv	33	70	49	66	273
GRAF [77]	49	59	95	87	106
Ours	21	32	26	30	31

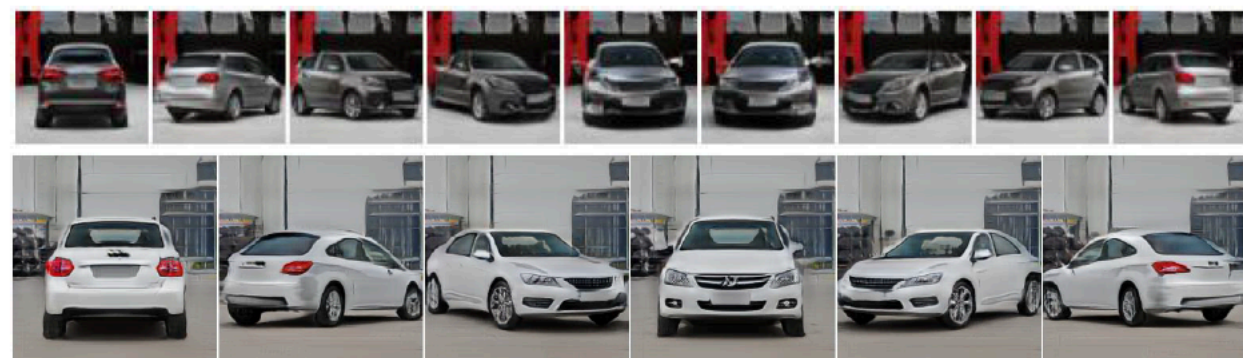
Table 2: **Quantitative Comparison.** We report the FID score (\downarrow) at 256^2 pixels for the strongest 3D-aware baselines and our method.



(a) 360° Object Rotation for HoloGAN [63]



(b) 360° Object Rotation for GRAF [77]



(c) 360° Object Rotation for Our Method

EXPERIMENTAL RESULTS

► Comparison to Baseline Methods

2D GAN	Plat. GAN	BlockGAN	HoloGAN	GRAF	Ours
1.69	381.56	4.44	7.80	0.68	0.41

Table 3: Network Parameter Comparison. We report the number of generator network parameters in million.

- Compared to GRAF, total rendering time is reduced from 110.1ms/1595.0ms to 4.8ms/5.9ms for $64 \times 64 / 256 \times 256$ pixels.

EXPERIMENTAL RESULTS

► Ablation Studies

Full	-Skip	-Act.	+NN. RGB Up.	+Bi. Feat. Up.
16.16	16.66	21.61	17.28	20.68

Table 4: Ablation Study. We report FID (\downarrow) on *CompCars* without RGB skip connections (-Skip), without final activation (-Act.), with nearest neighbor instead of bilinear image upsampling (+ NN. RGB Up.), and with bilinear instead of nearest neighbor feature upsampling (+ Bi. Feat. Up.).

EXPERIMENTAL RESULTS

► Positional Encoding

- Axis-aligned: $(\sin(2^0 t\pi), \cos(2^0 t\pi), \dots, \sin(2^L t\pi), \cos(2^L t\pi))$



(a) 0° Rotation for Axis-Aligned Positional Encoding [61]



(b) 0° Rotation for Random Fourier Features [82]

Figure 11: **Canonical Pose.** In contrast to random Fourier features [82], axis-aligned positional encoding (1) encourages the model to learn objects in a canonical pose.

EXPERIMENTAL RESULTS

► Limitations



Figure 12: Dataset Bias. Eye and hair rotation are examples for dataset biases: They primarily face the camera, and our model tends to entangle them with the object rotation.

EXPERIMENTAL RESULTS

- ▶ Limitations
 - Disentanglement failures



OUTLINE

- Authorship
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CONCLUSION

- Fast and controllable image synthesis
- Compositional 3D scene representation
- Disentangle individual objects without explicit supervision
- Neural feature fields, neural renderer